



International Conference on High Energy Density Physics

 POLITECNICO DI MILANO



Electron heating in sub-ps laser plasma-interaction



Lorenzo Cialfi



Co-authors and Sponsors



“ENSURE” project



European Research Council

Supercomputing facility (Bologna, IT)



Research group (Milano, IT)



- M. PASSONI
- L. FEDELI
- V. RUSSO
- A. MAFFINI
- A. FORMENTI
- A. PAZZAGLIA

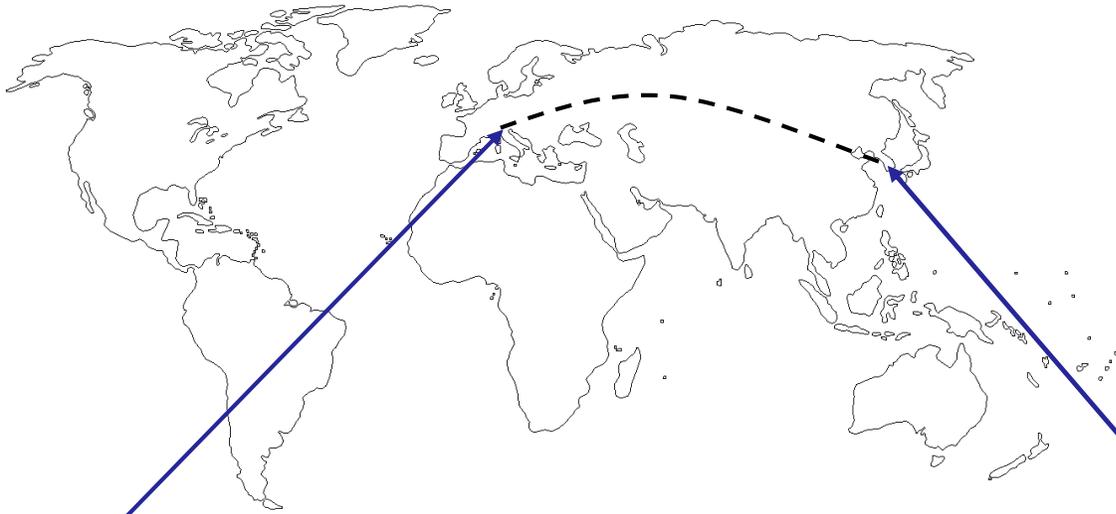




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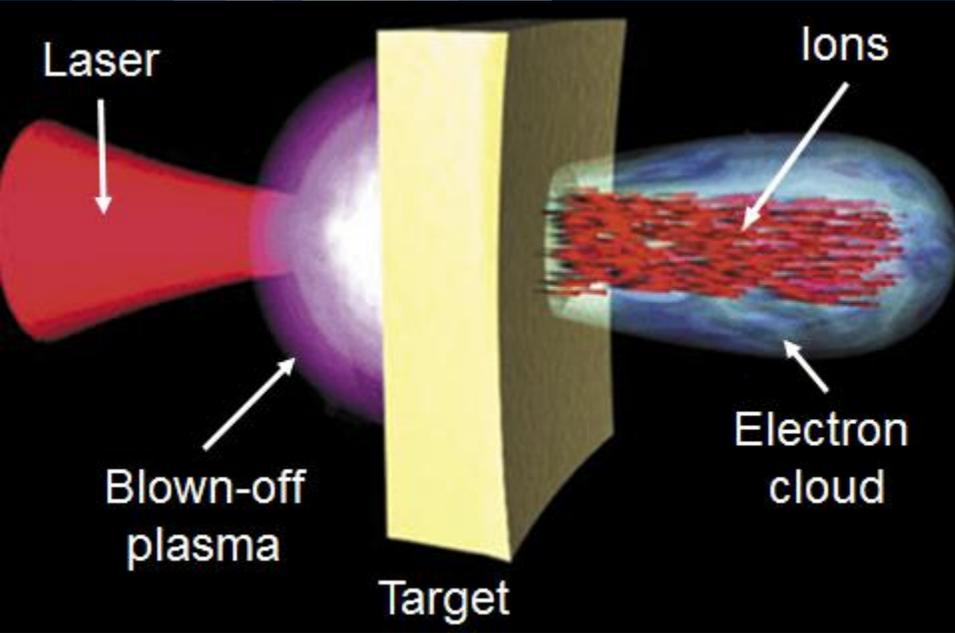
Experimental campaign (Gwangju, South Korea)



- Il Woo CHOI
- I Jong KIM
- Karol JANULEWICZ
- H.W. LEE
- J. H. SUNG
- S.K. LEE
- C. H. NAM



- I. Introduction
 - Laser induced ion acceleration
 - Electron heating: state of the art
- II. Proposal of scaling law for electron temperature
 - Different experimental parameters
- III. Numerical Campaign
 - Parametric study
- IV. Scaling law & Ion acceleration model
 - Benchmark with experimental results



Laser

- $I > 10^{19} \text{ W/cm}^2$
- Duration $< \text{ps}$
- Focal spot $\sim \mu\text{m}$
- **Target**
- Thickness: $\mu\text{m/nm}$
- Foils

Interesting features:

- Compactness
- Coherence
- Tunable energy
- Cheaper (?)

Potential applications:

- Proton imaging/radiography
- Material irradiation
- Isotope/neutron production
- Fast ignition
- Hadrontherapy



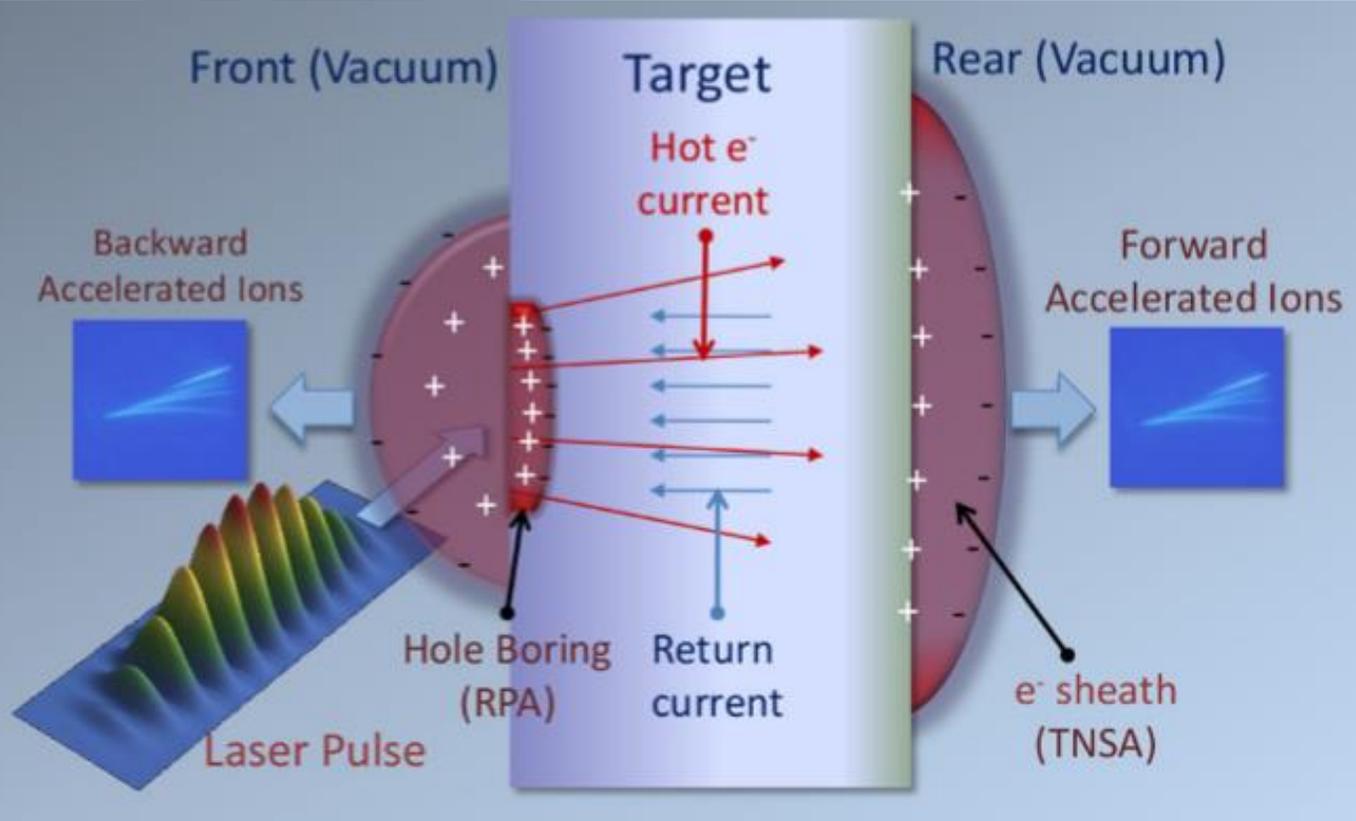
Required upgrades:

- Better performances
- High repetition rate ($> \text{Hz}$)
- Better control over the technique

A. Macchi, M. Borghesi, M. Passoni,
Rev. Mod. Phys., 85 751 (2013)

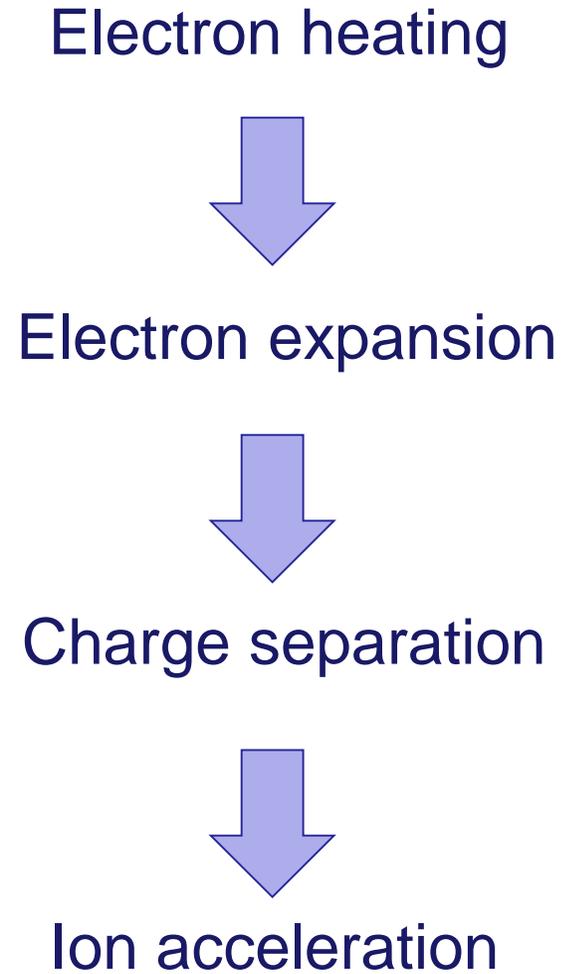


Target Normal Sheath Acceleration (TNSA)



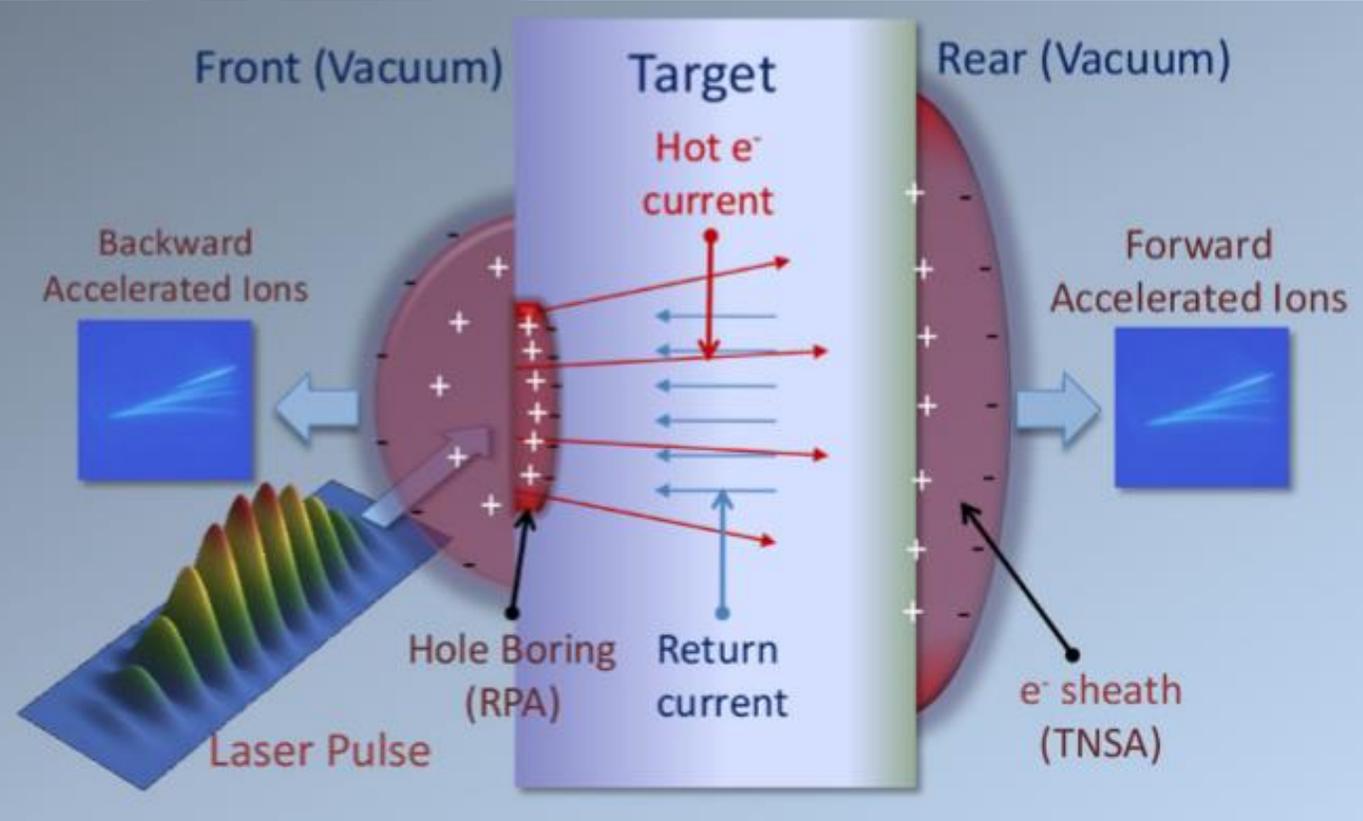
Many acceleration mechanisms

Target Normal Sheath Acceleration (TNSA)



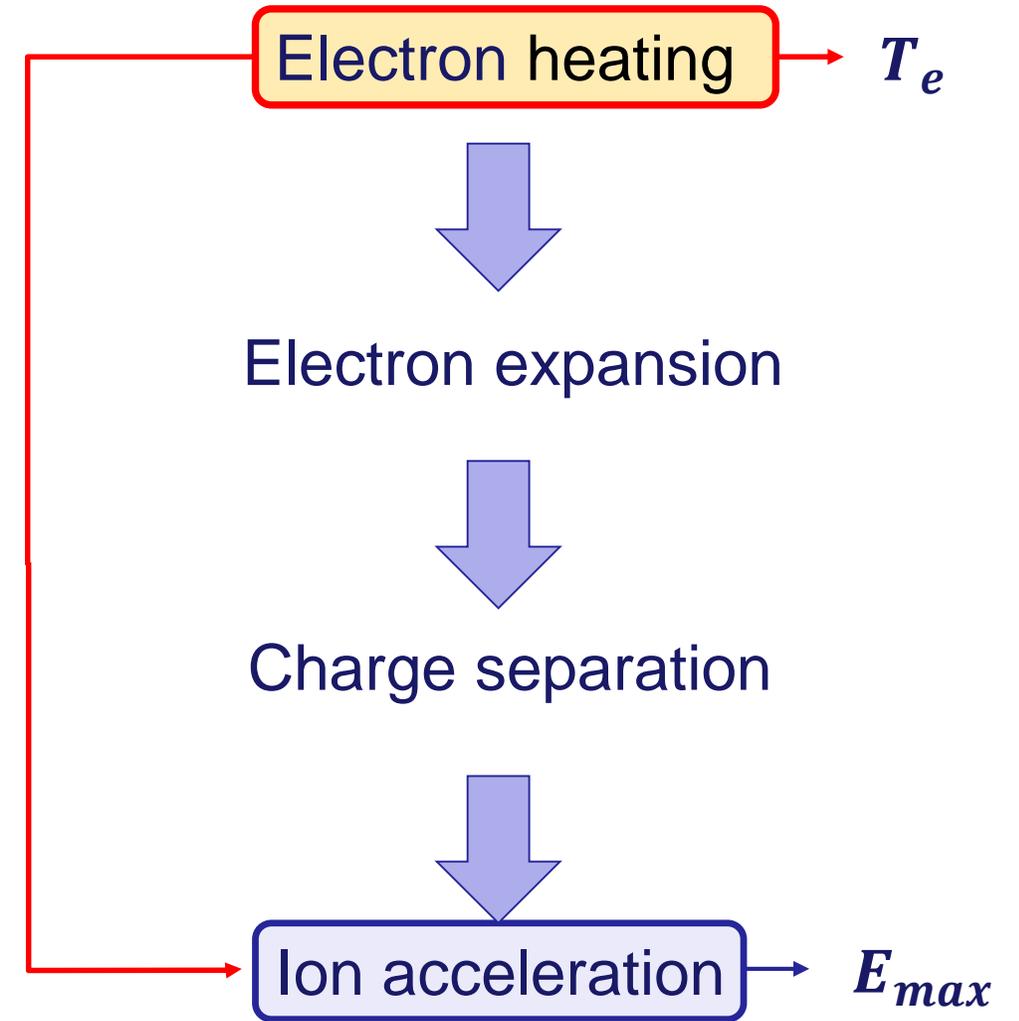


Target Normal Sheath Acceleration (TNSA)



Many acceleration mechanisms

Target Normal Sheath Acceleration (TNSA)





Possible approaches:

➤ Quasi stationary models

$$E_{max}(ions) = Z_i k_b T_e \left[\varphi^* - 1 + \frac{\beta(\varphi^*, \zeta)}{I(\varphi^*, \zeta) e^{\zeta + \varphi^*}} \right]$$

M. Passoni and M. Lontano, Phys. Rev. Lett., vol. 101, p. 115001 (2008).

➤ Fluid models

$$E_{max}(ions) = 2Z_i k_b T_e \ln^2 \left(\tau + \sqrt{\tau^2 + 1} \right)$$

P. Mora, Physical Review Letters, V 90 N 18 (2003)

➤ Hybrid models

$$E_{max}(ions) = Z_i k_b T_e f(q)$$

B. J. Albright, et al., Physical Review Letters, 97:115002 (2006).



Electron temperature → key parameter

Possible approaches:

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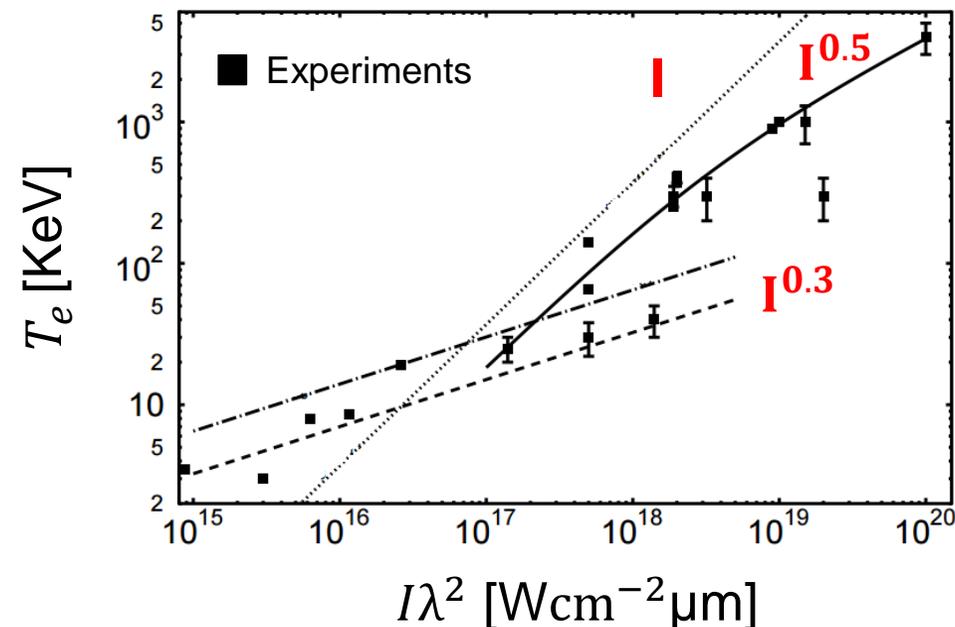
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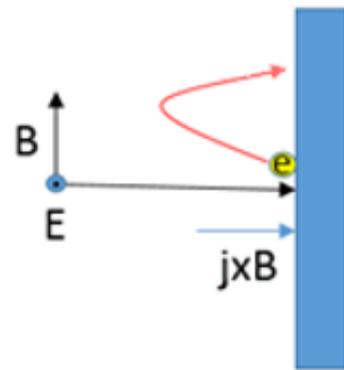
P. Gibbon; Short Pulse Laser Interaction with Matter; Imperial college press (2005)

Laser intensity dependence
Other dependences ?



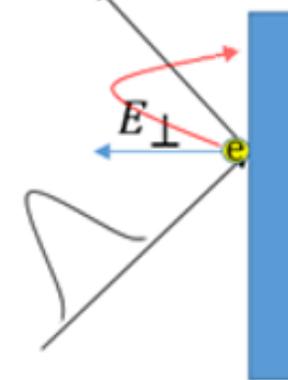
- **Collisional heating** → e-i collisions → $v_{ei} \propto Zn_e(T_e)^{-\frac{3}{2}} \ln(\Lambda)$, $T_e \propto I^{1/3} t^{1/6}$ → not efficient for high intensities and short pulses
- **Resonance heating** → $T_e \propto (I\lambda^2)^{1/3}$ → efficient for long pulses (~ps) and plasma gradients (μm)
- Ultra-intense laser ($I > 10^{18} \text{ W/cm}^2$) + Sharp-edged micrometric solid targets

jxB heating



Collisionless

Brunel effect



Ponderomotive scaling

$$T_e [MeV] = 0.511 \left[\sqrt{1 + \frac{I\lambda(\mu\text{m})^2}{1.37 \cdot 10^{18}}} - 1 \right] \frac{a_0^2}{2}$$

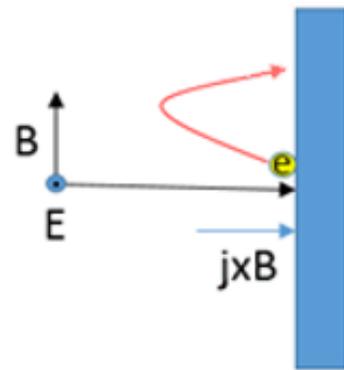
Interaction efficiency

$$\eta = \frac{1}{\pi a_0} \left[(1 + f^2 a_0^2 \sin^2 \theta)^{1/2} - 1 \right] \frac{\sin \theta}{\cos \theta}$$



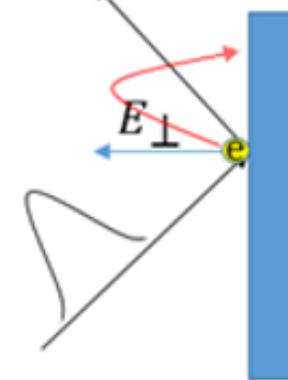
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$a_0^2/2$

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- **jxB heating**
 - hp: No angular dependence
 - Ponderomotive scaling

- Brunel effect**
 - interaction efficiency
 - $T_e \propto \frac{\eta E_{laser}}{N_e}$

H_p: combined heating

$$T_e [MeV] = 0.511 \cdot C_1(a_0, pol) \cdot \left(\sqrt{1 + \frac{a_0^2}{2}} - 1 \right) + 0.511 \cdot C_2(a_0, pol) \cdot \left(\sqrt{1 + 2a_0^2 \sin^2 \theta} - 1 \right) \cdot \tan \theta$$

$C_1(a_0, pol)$ & $C_2(a_0, pol)$: ?
→ Numerical simulations → Temperature fit



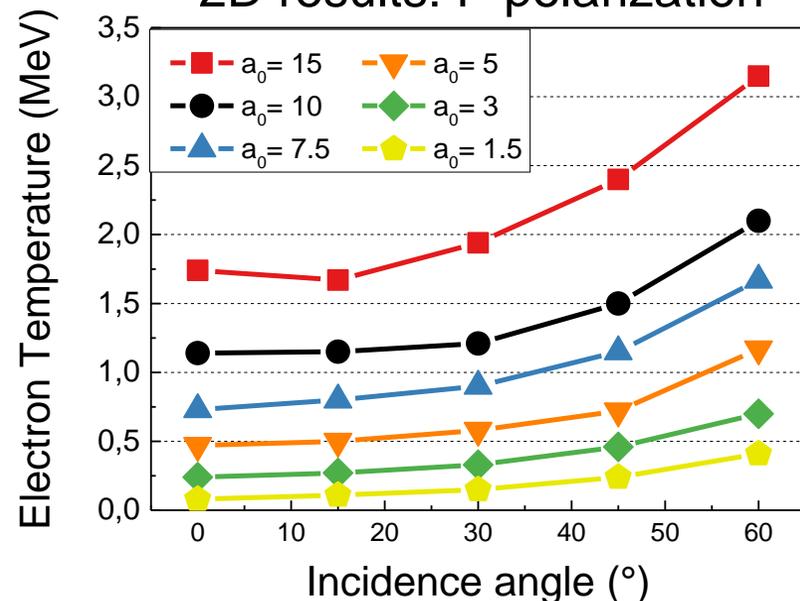
Target

Composition : $Al^{9+} + H^+$ (contaminants)
 Thickness : 0,5 μm and 50 nm contaminants
 Density: 80 n_c and 4 n_c

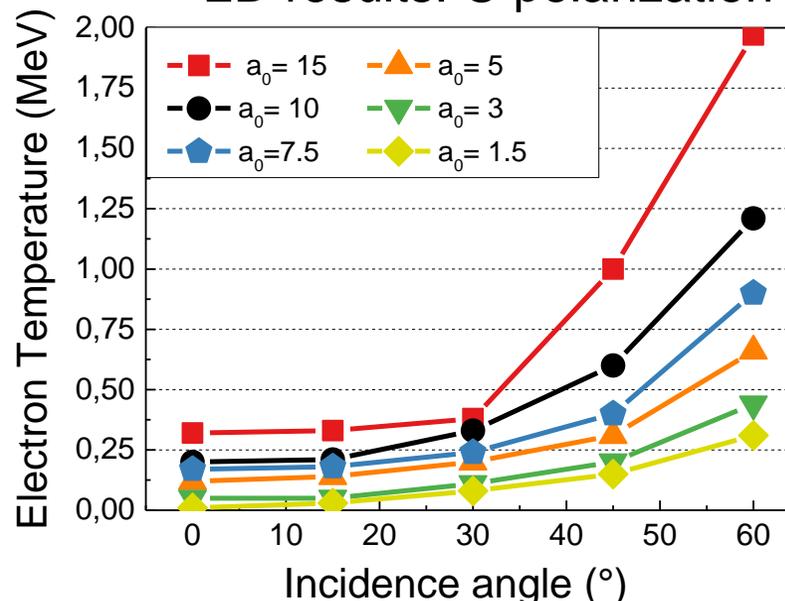
Laser

Intensity: $1.5 < a_0 < 15$
 Incidence angle : 0 – 15 – 30 – 45 - 60°
 Polarization: P-, C-, S-

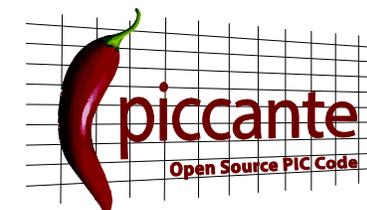
2D results: P polarization



2D results: C polarization



- Angular dependence: P and C polarization
- S polarization (requires 3D simulations) constant temperature





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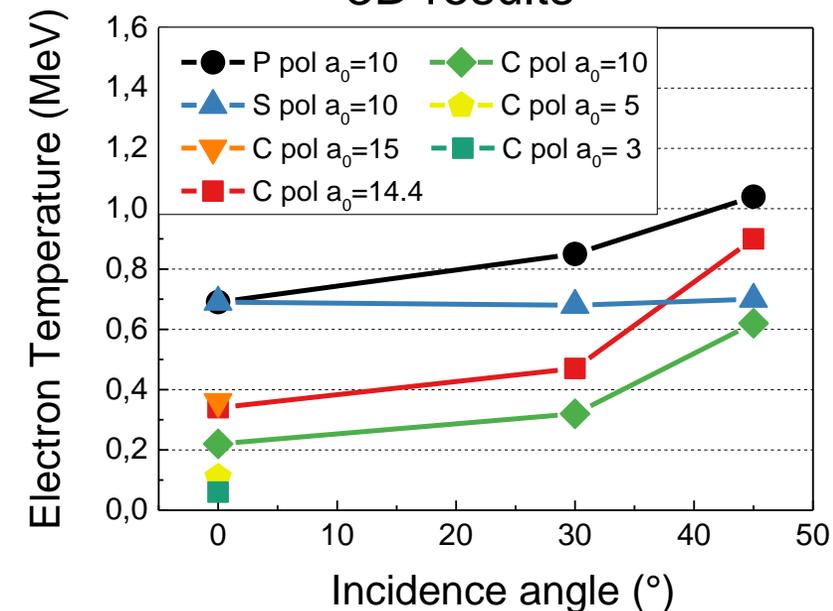
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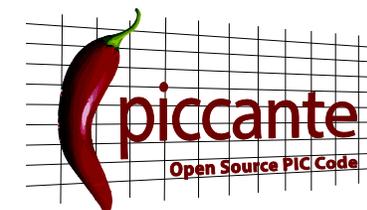
Incidence angle : 0 – 15 – 30 – 45 - 60°

Polarization: P-, C-, S-

3D results

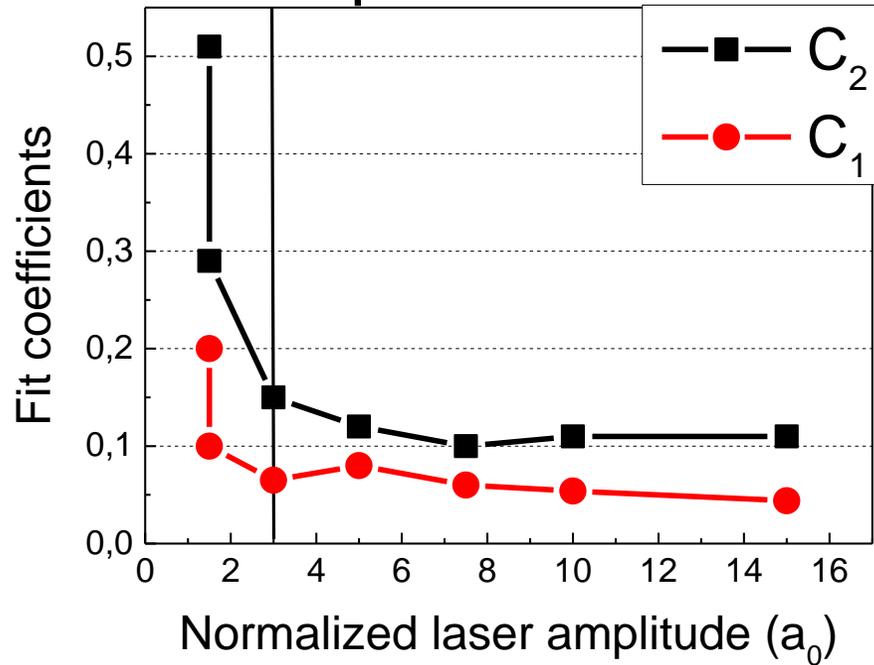


- Angular dependence: P and C polarization
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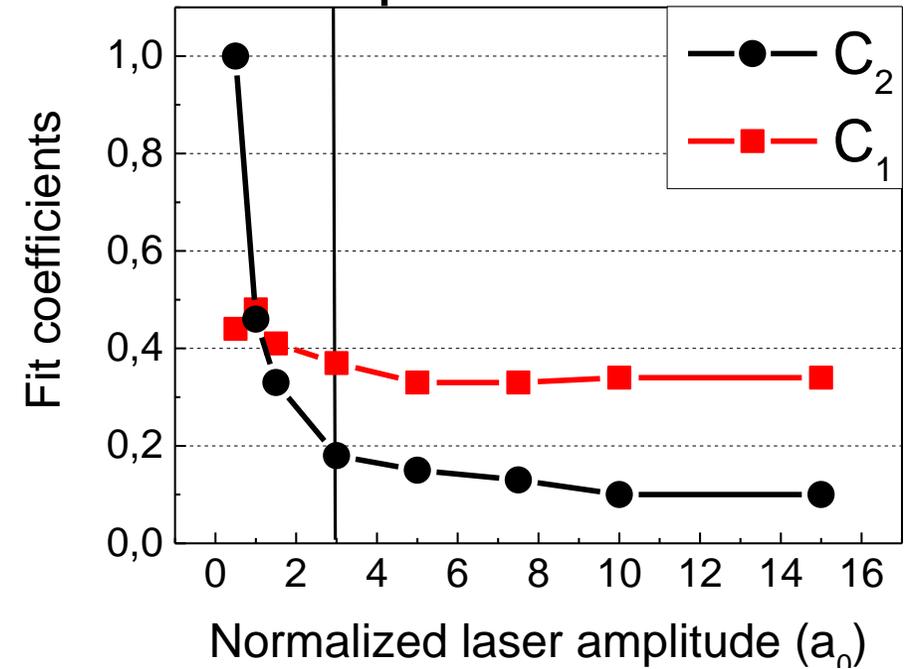




C polarization



P polarization



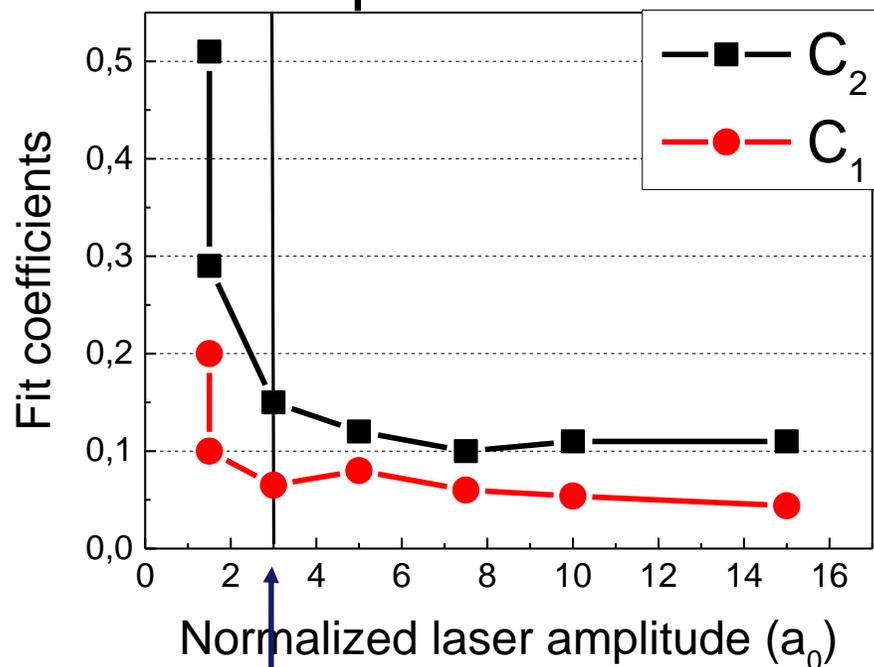
Numerical fit:

$$T_e = C_1(a_0, pol)T_e(\mathbf{J} \times \mathbf{B}) + C_2(a_0, pol)T_e(\text{Brunel})$$

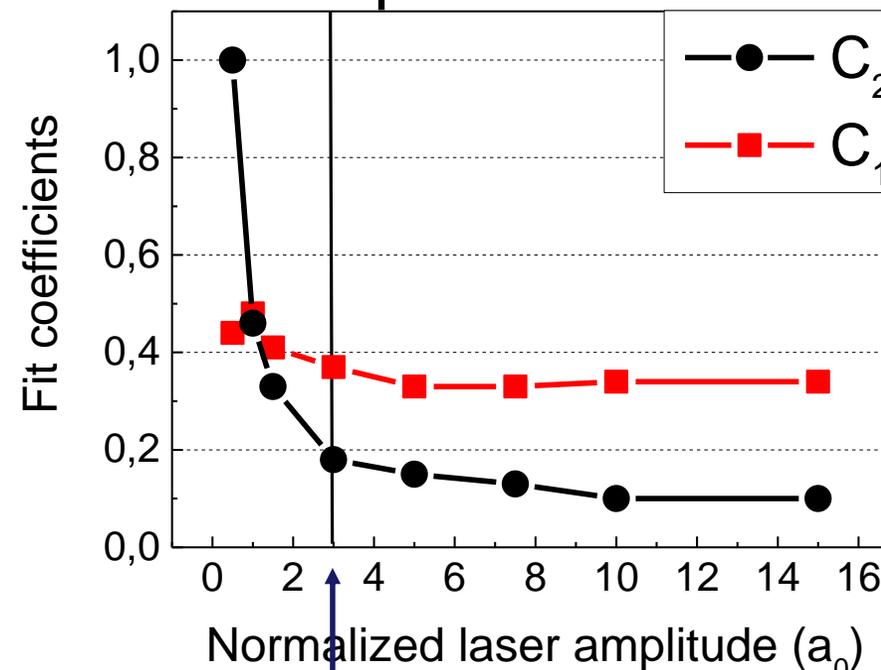
- C_1, C_2 constant for $a_0 > 3$
- $C_2(\text{pol S}) = 0$ (no Brunel)
- $C_1(\text{pol S}) = C_1(\text{pol P})$



C polarization



P polarization



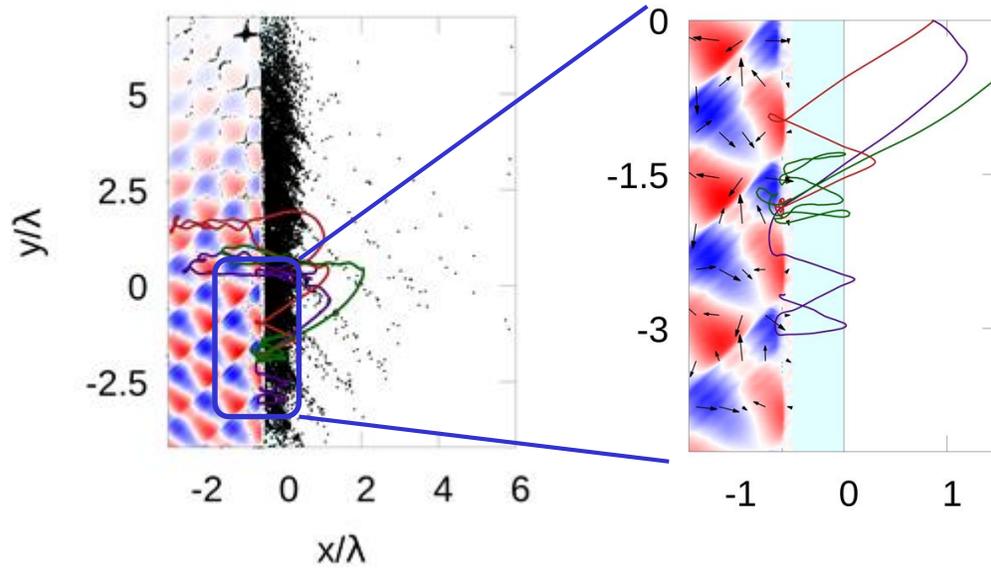
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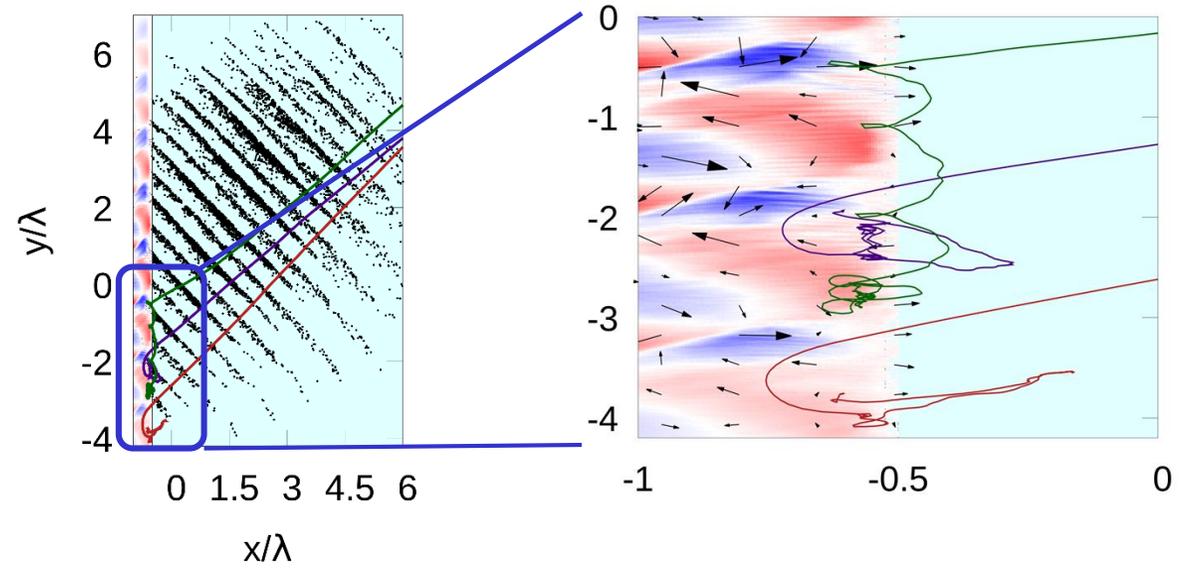
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0.5 μm thick Al



15 μm thick Al



Interaction:

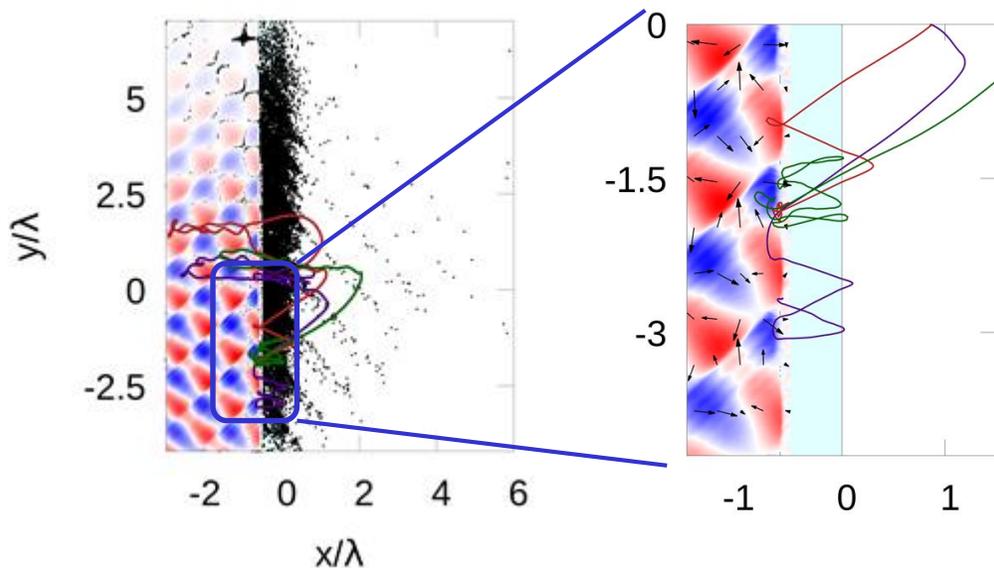
- I. Normal oscillations
- II. Kick along the laser direction
- III. Injection at 2ω

Thicker targets:

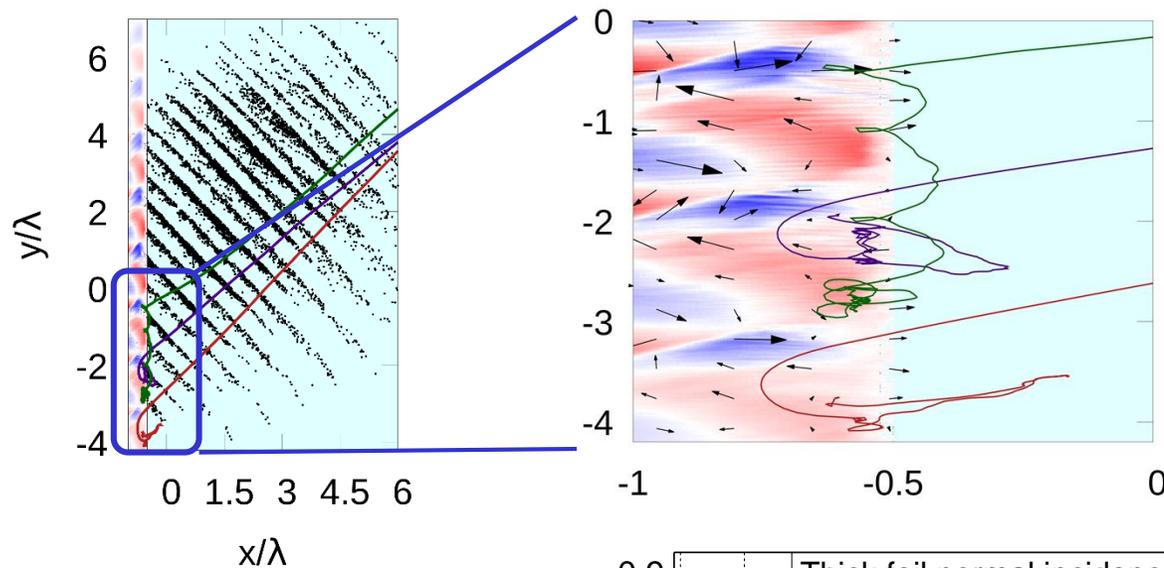
Similar temperatures (20% decrease)
No e^- recirculation \rightarrow less confinement



0.5 μm thick Al



15 μm thick Al



Interaction:

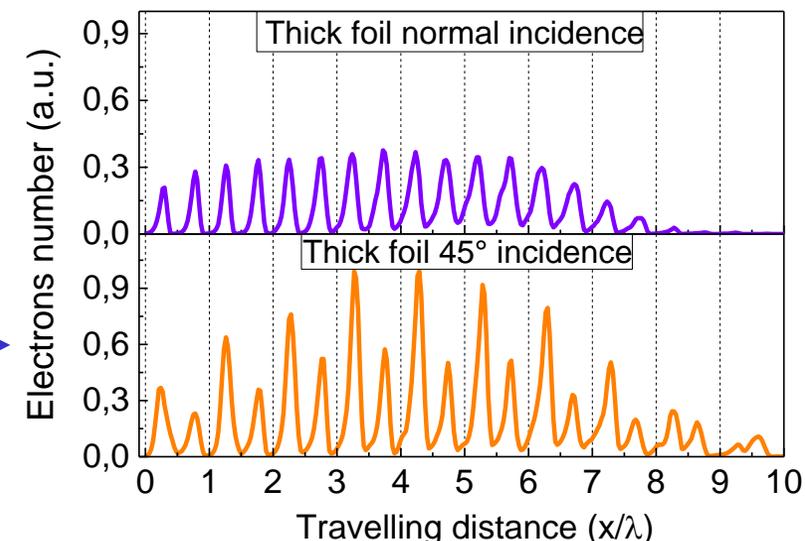
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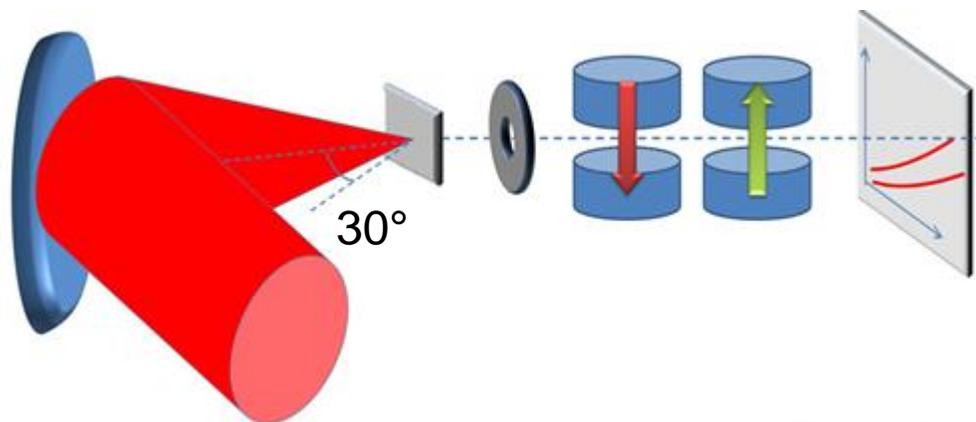
Thicker targets:

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$j \times B$ heating

$j \times B$ injection at 2ω
 +
 Brunel injections at ω

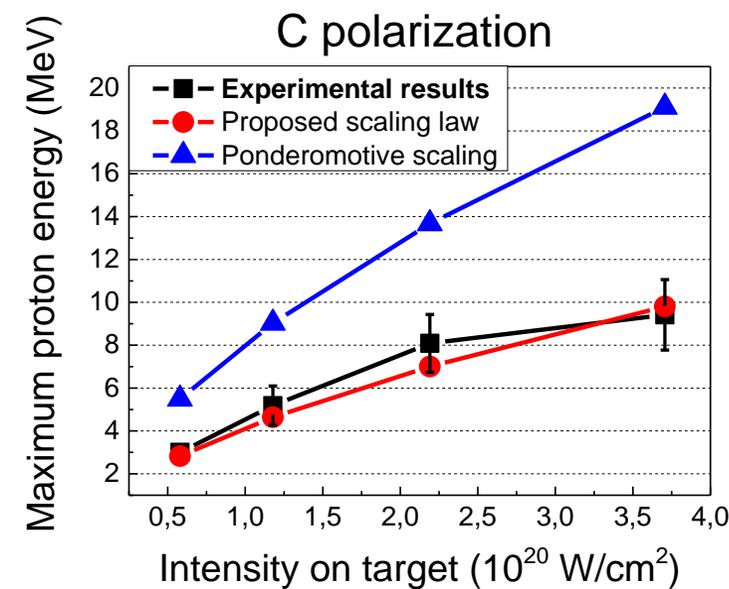
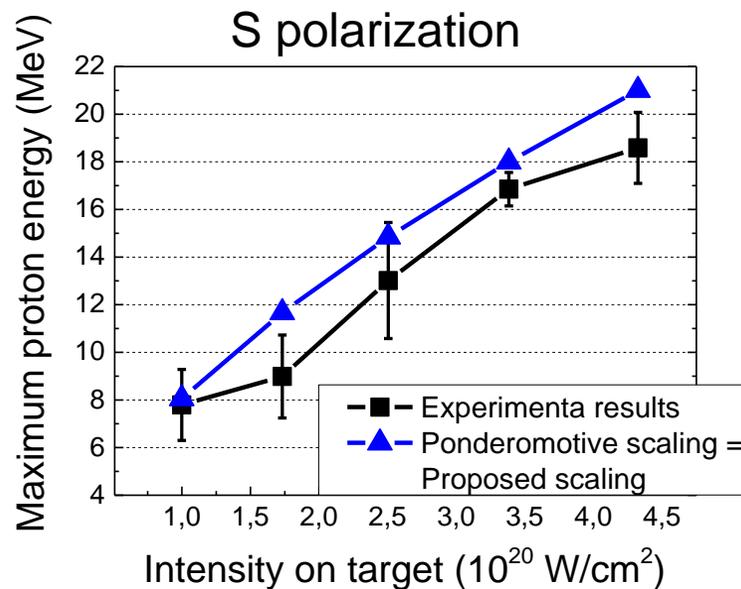
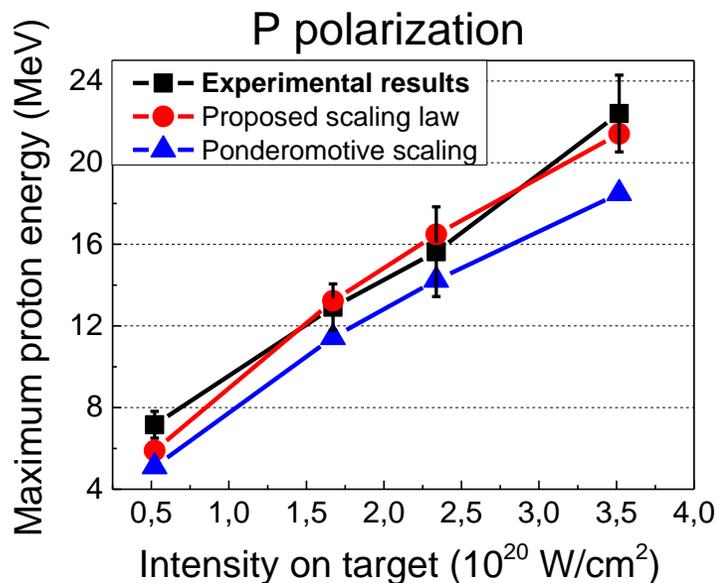


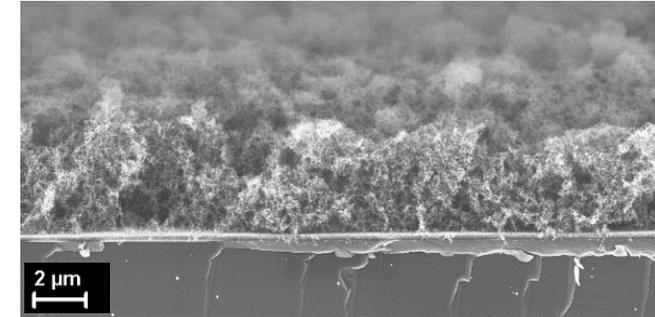
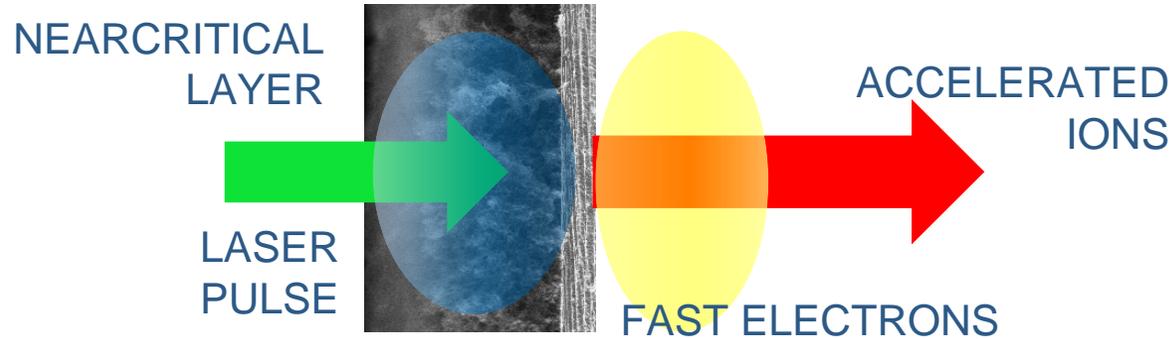


Target:
 Simple plain foil
 Compositions: Al
 Thickness: 0.75 μm

Laser: Ti:Sapphire
 $I < 4.2 \cdot 10^{20} \text{ W/cm}^2$
 Laser polarization: P-, S-, C-

Benchmark with experimental results





SOLID FOIL + LOW DENSITY LAYER

- Volume & Surface interaction mechanisms

Foam deposition: Pulsed Laser Deposition (PLD)

- Micrometric-scale near-critical density
- Nanometric (~ 20-30 nm) over-dense clusters



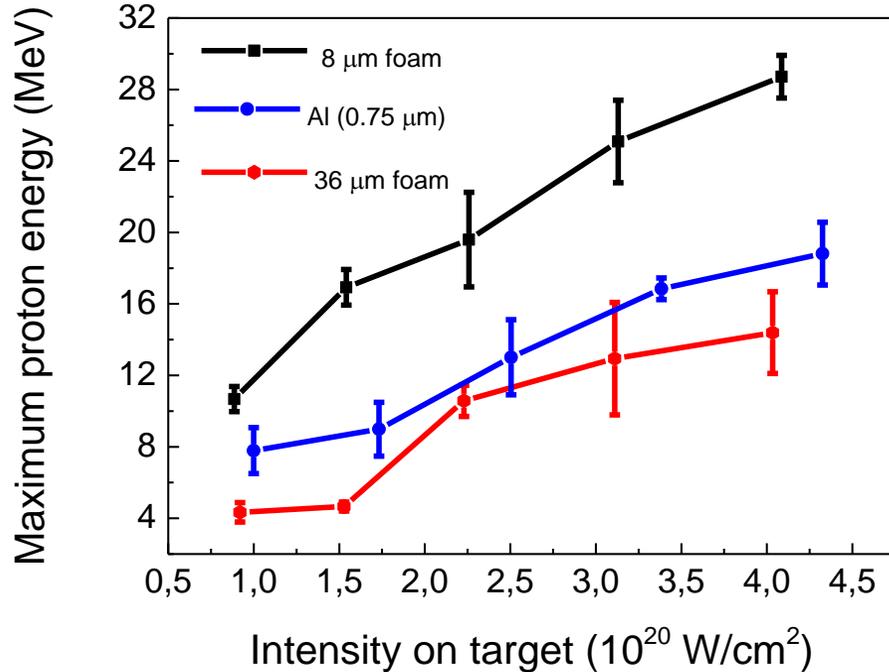
Enhanced TNSA

- Higher laser energy absorption
- Enhanced electron production
- Enhanced number and maximum energy of accelerated ions

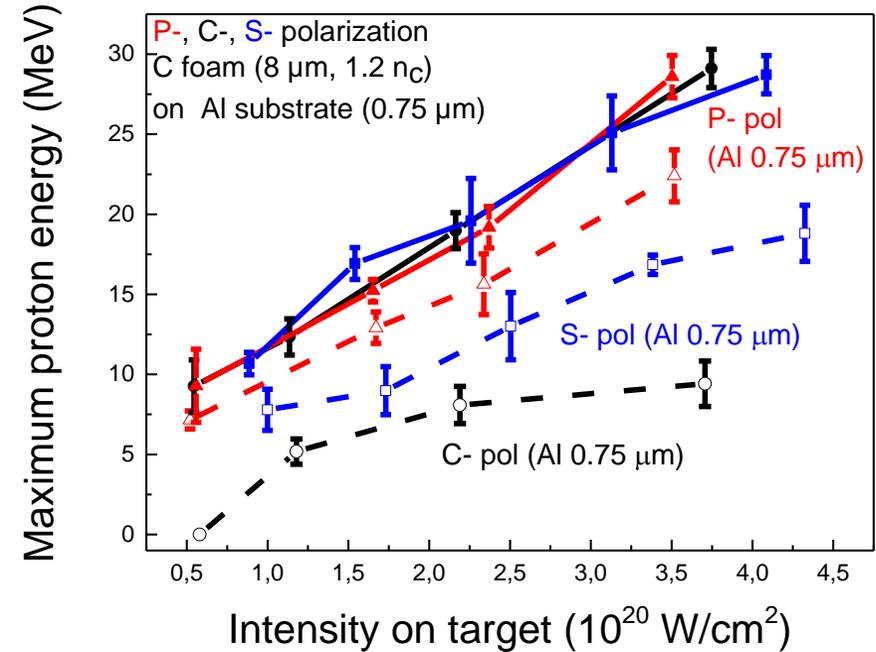
T. Nakamura *et al.*, Phys. Plasmas, 17 113107 (2010)
 A. Sgattoni *et al.*, Phys. Rev. E, 85 036405 (2012)



Role of Foam thickness (p-pol.)



Role of laser polarization



Higher energies
 More Ions (>50%)

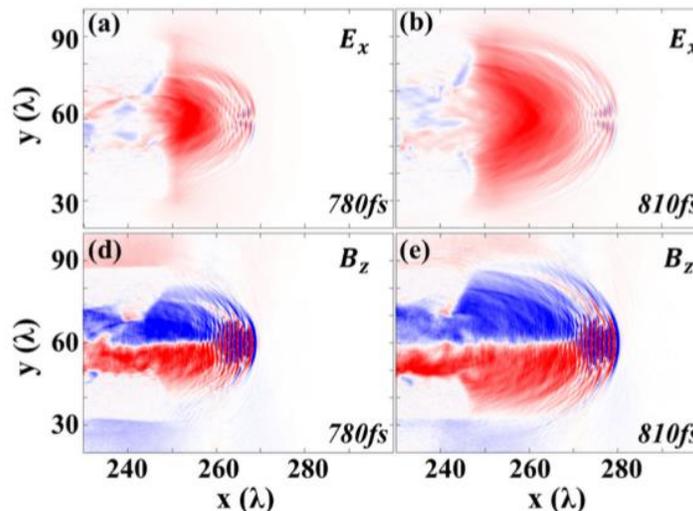


- $E_{max} \propto I$
- Foam targets: no pol dependence
- Best coupling with 8 μ m foam

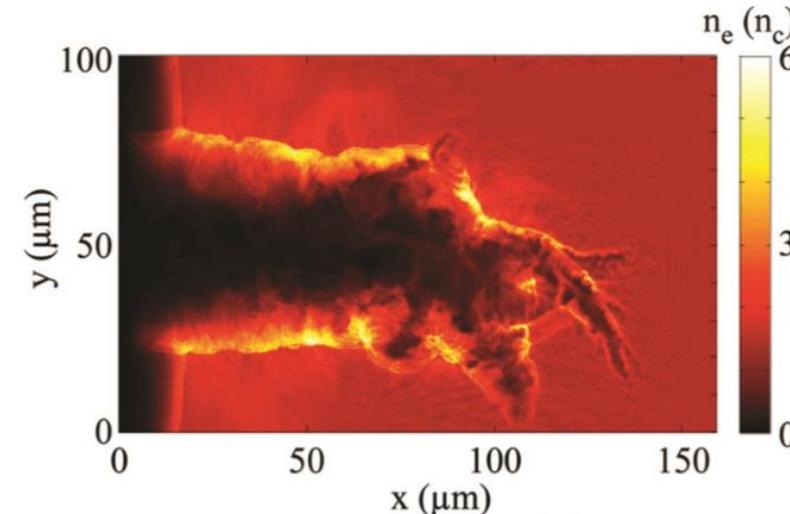


Richer physics

- Magnetic dipole generation
- Self focussing
- Filamentations
- Two stream instabilities



Y. J. Gu, et al.; Physics Of Plasmas 21, 063104 (2014)



L. Willingale et al; Physics of Plasmas 18, 056706 (2011)

Simplified physical picture:

➤ Pulse erosion

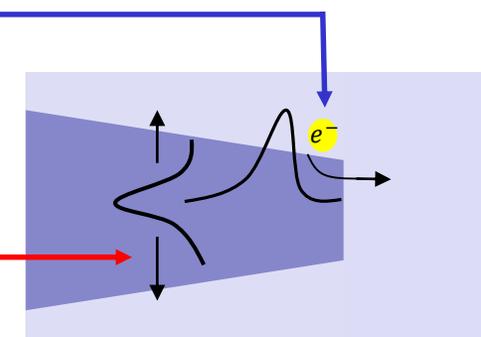
$$T_e \sim I$$

$$p \sim p_{||} \propto a_0^2$$

➤ Ponderomotive expulsion

$$T_e \sim I^{1/2}$$

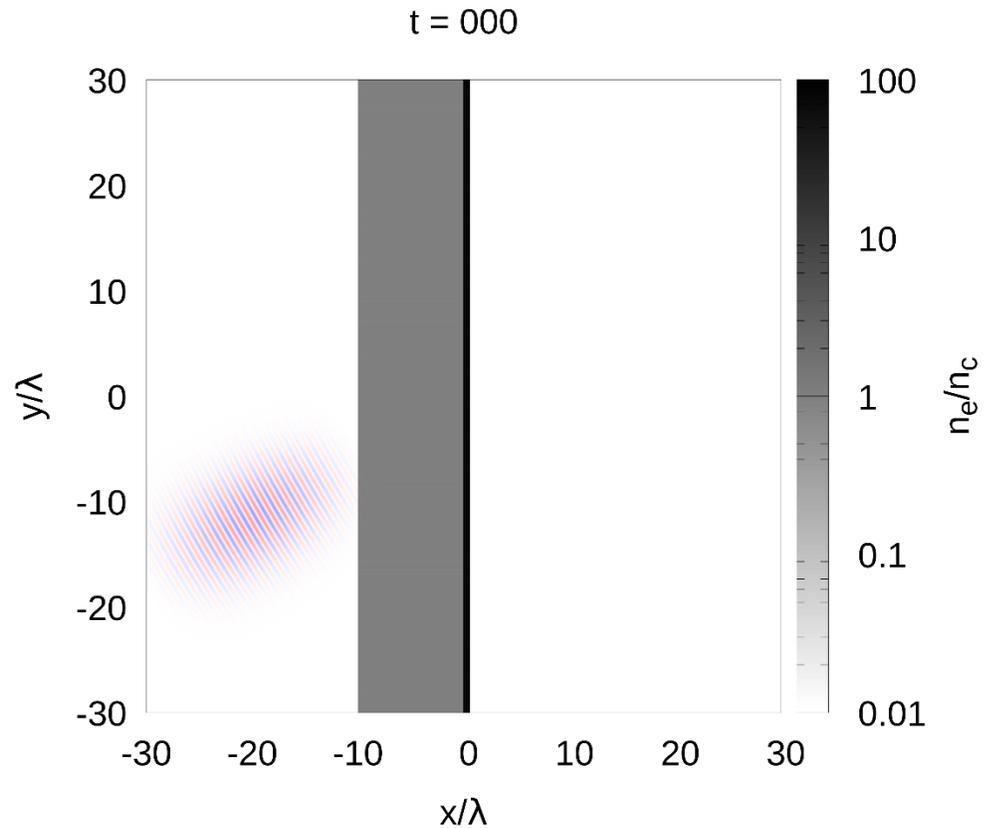
$$p \sim p_{\perp} \propto a_0$$



A P L Robinson et al; Plasma Phys. Control. Fusion 53 (2011) 065019

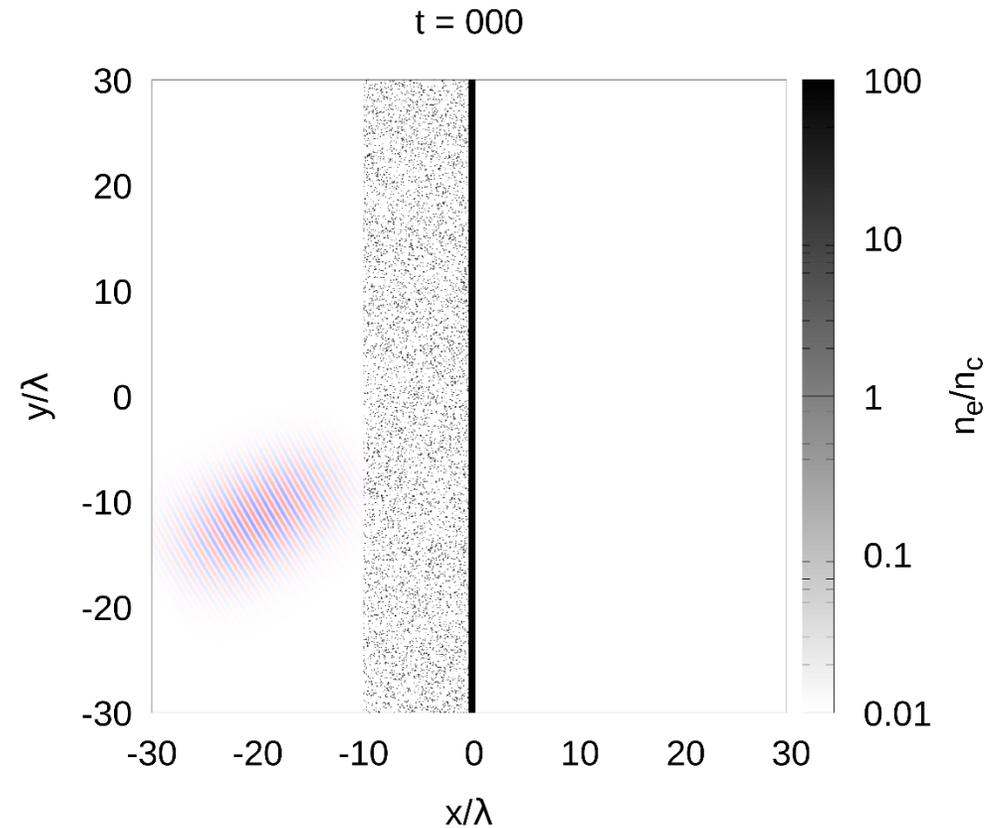


Homogeneous foam

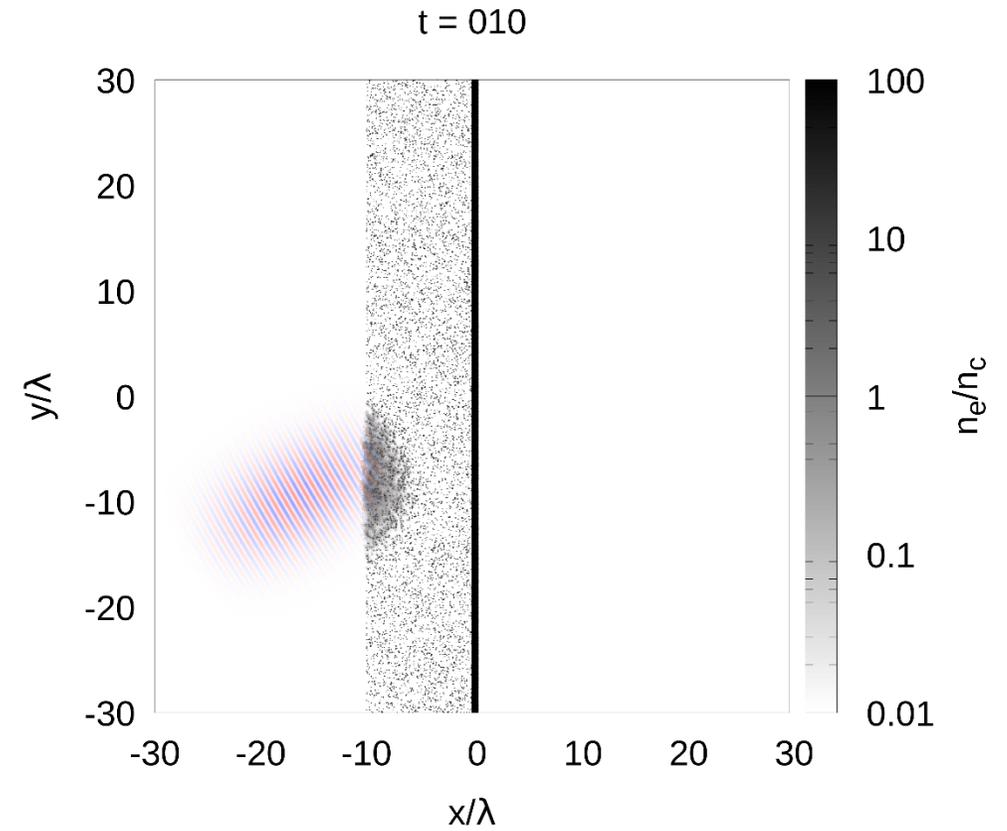
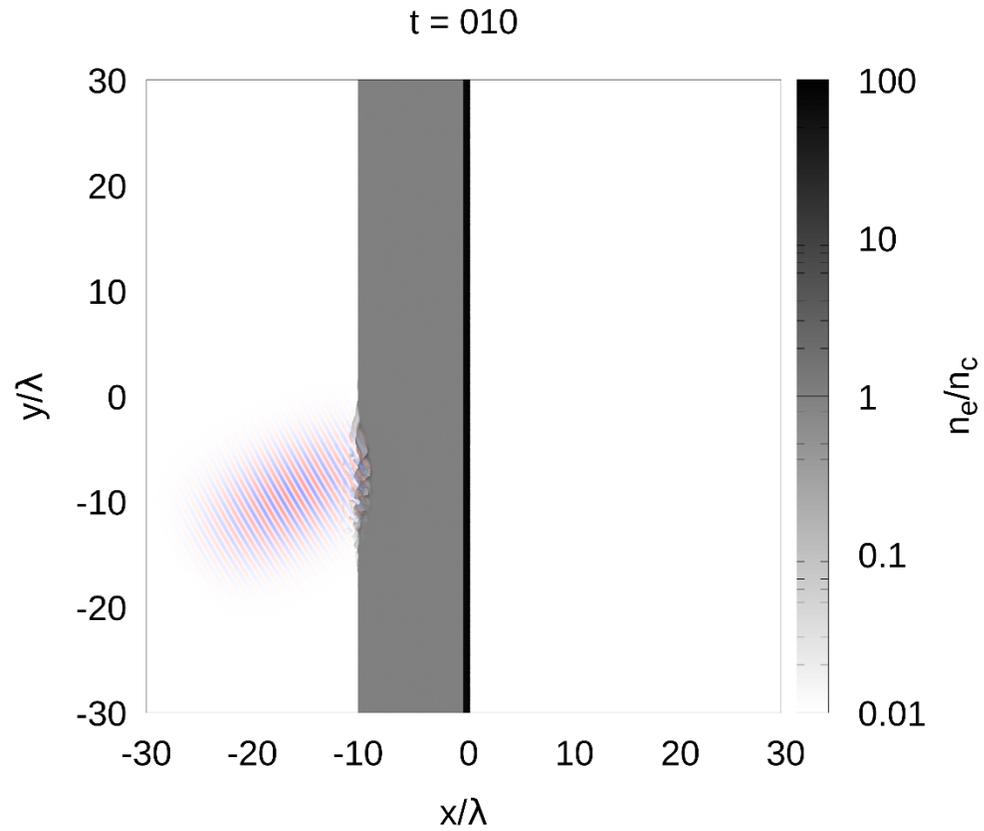


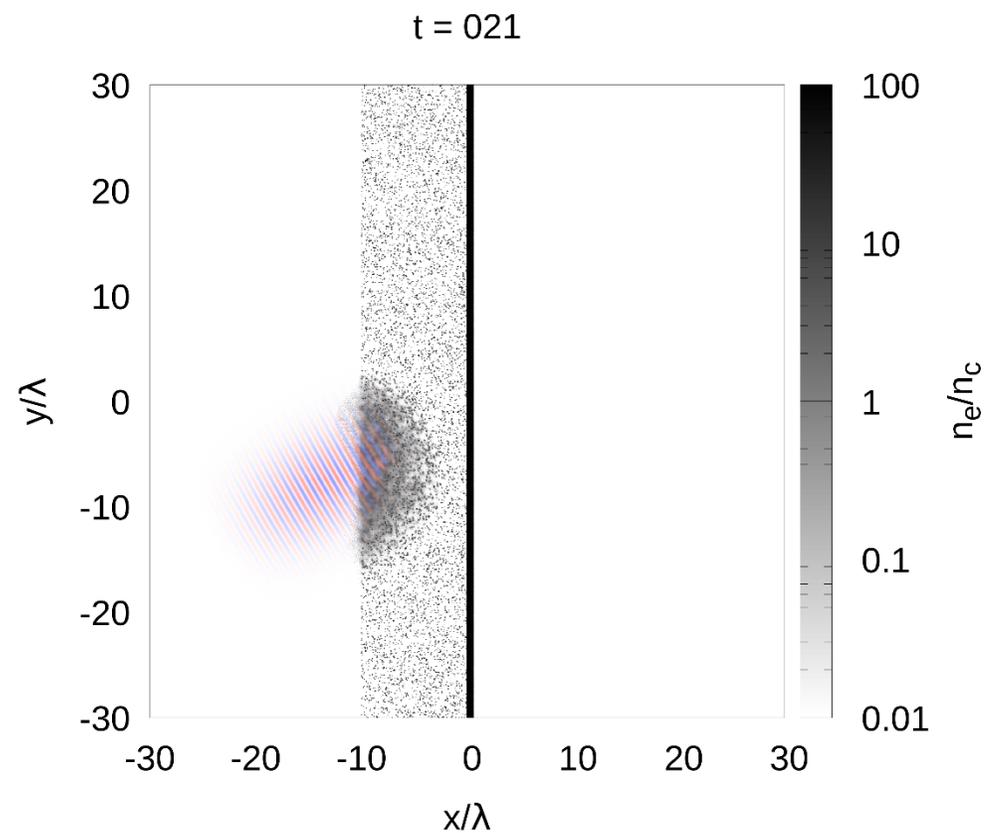
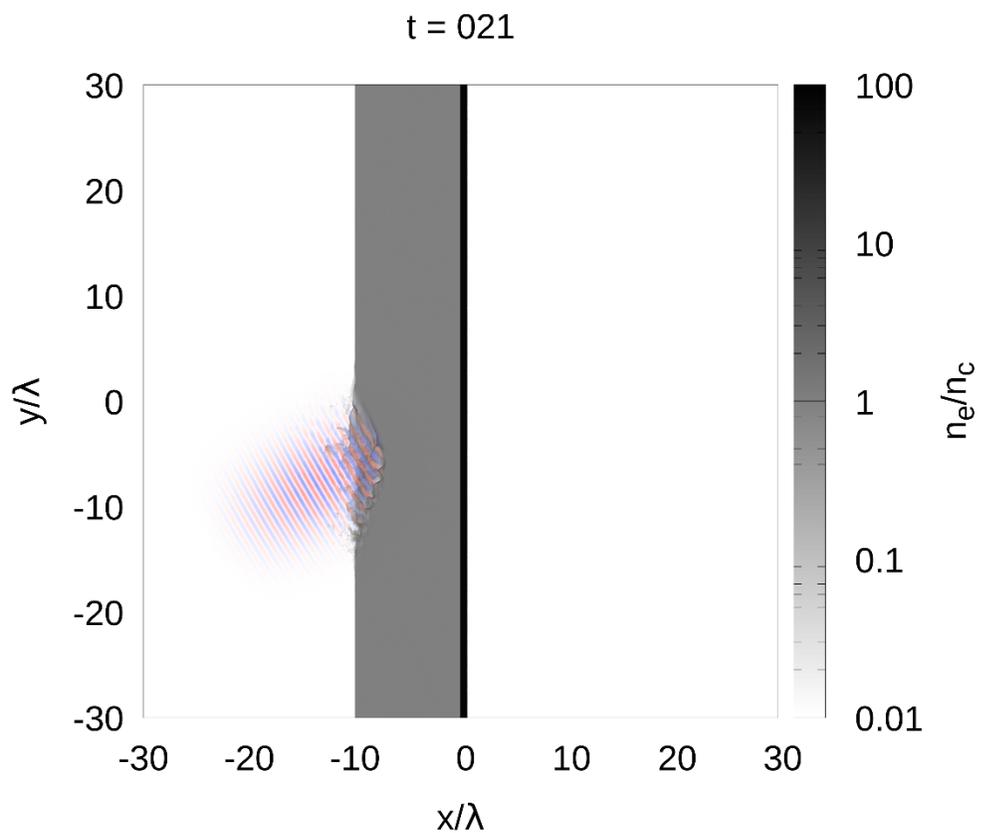
Homogeneous foam
 $n_e = n_c$

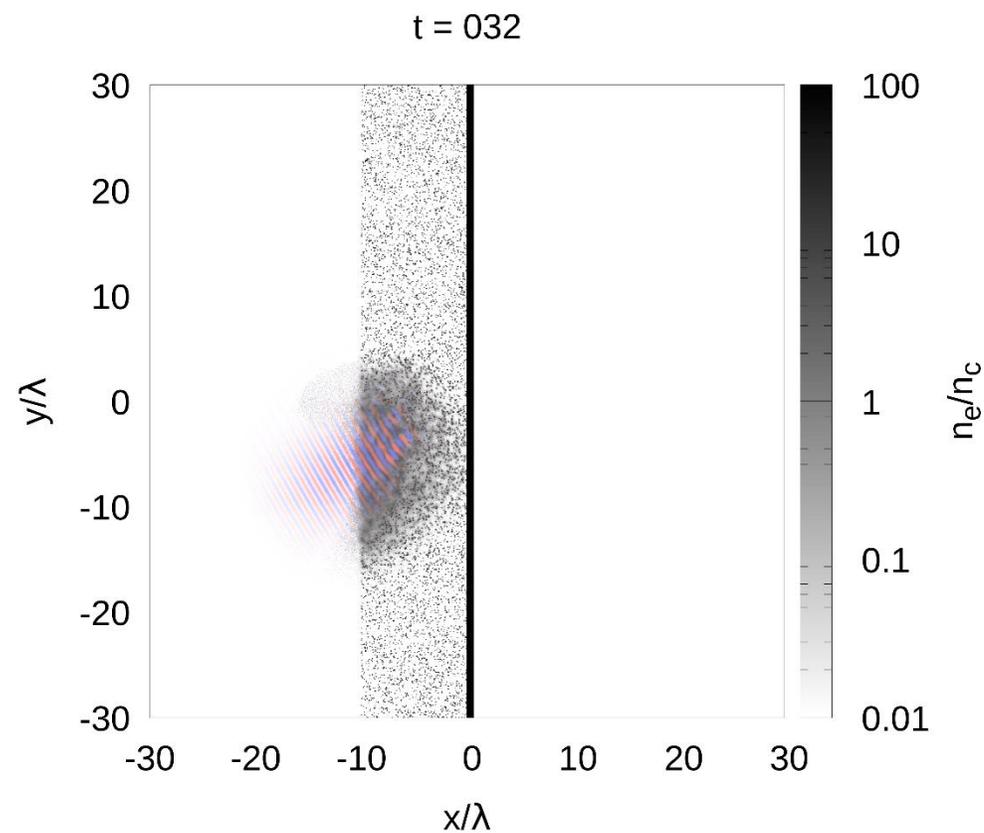
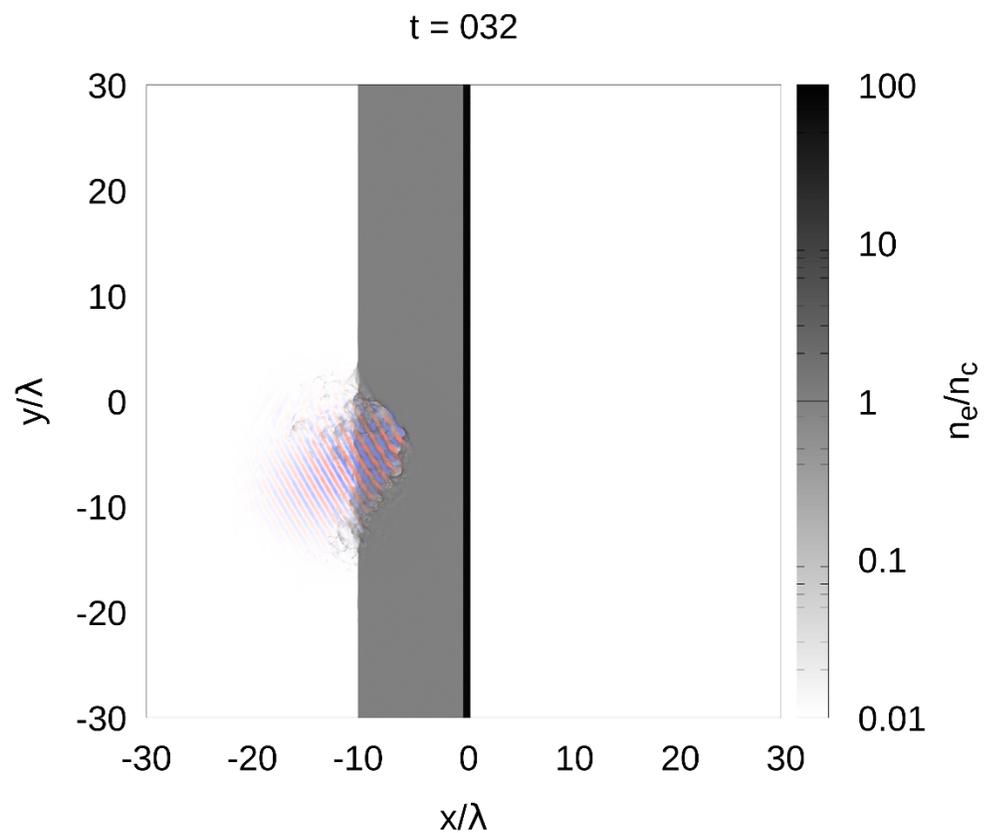
Nanostructured foam

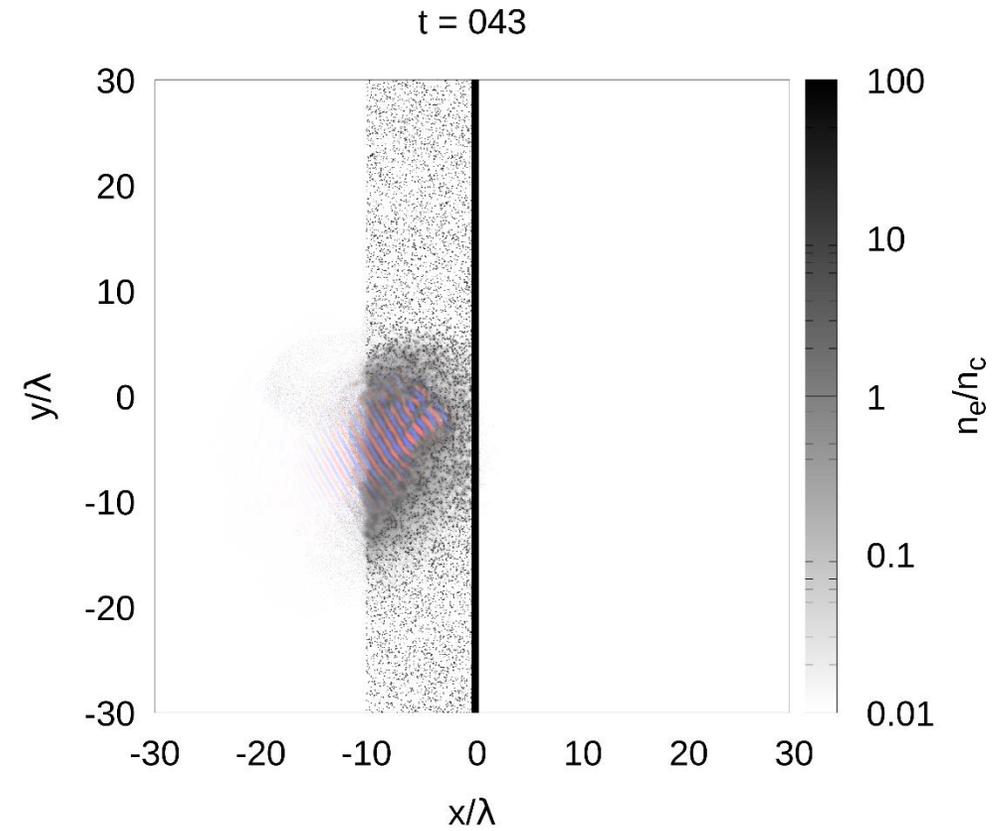
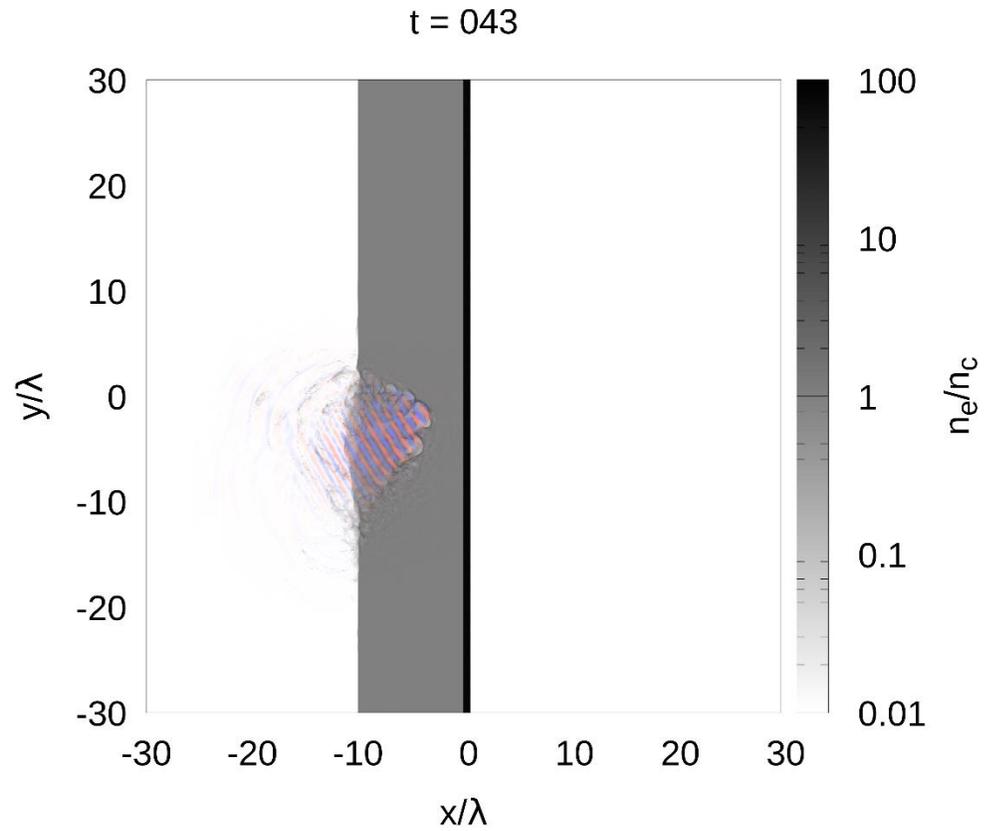


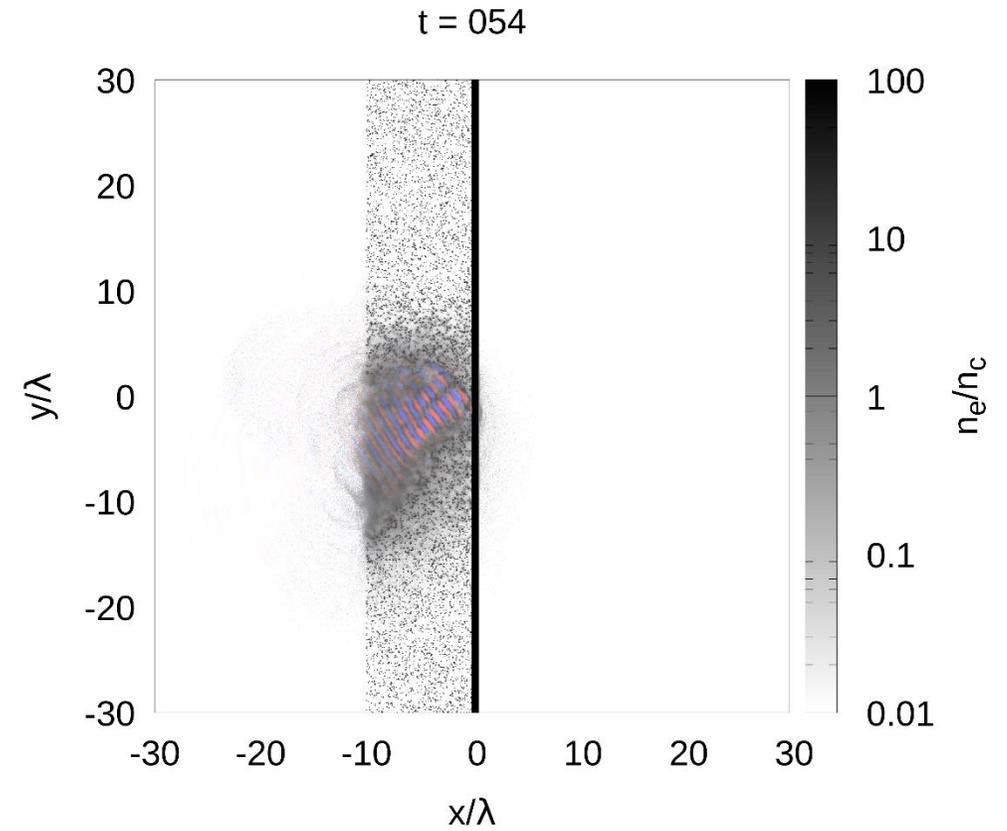
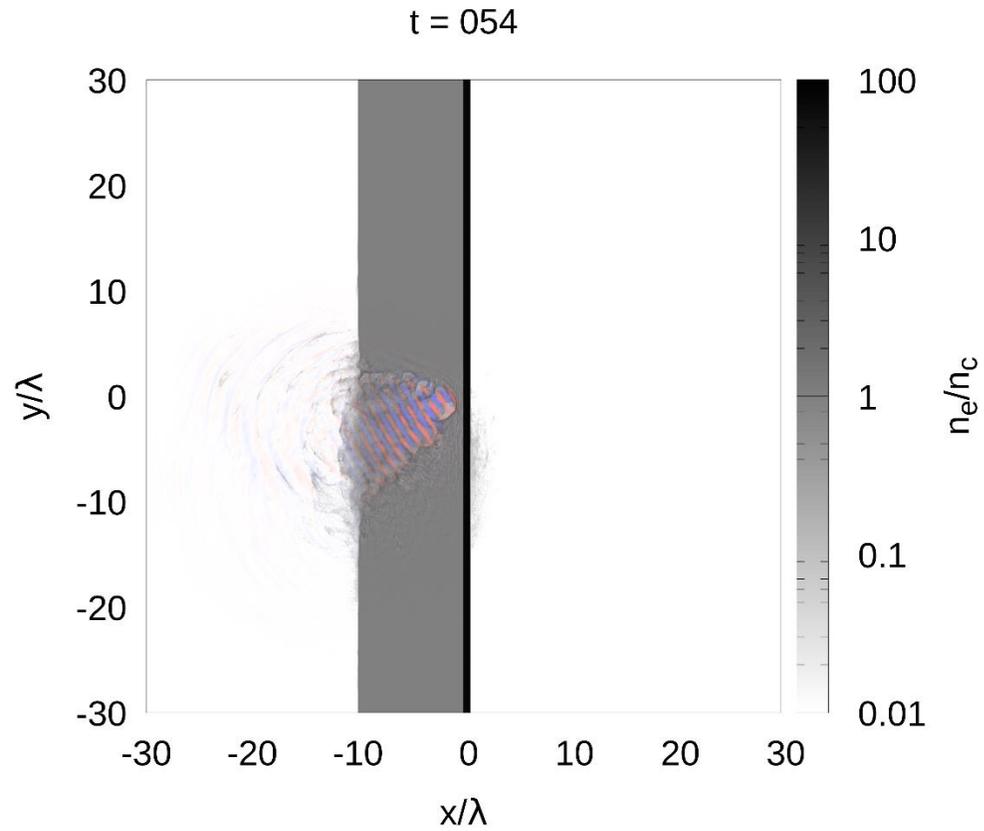
Random spheres
 $R_s = 10 \text{ nm}$ $n_e = 100 n_c$
Average density: $n_e = n_c$

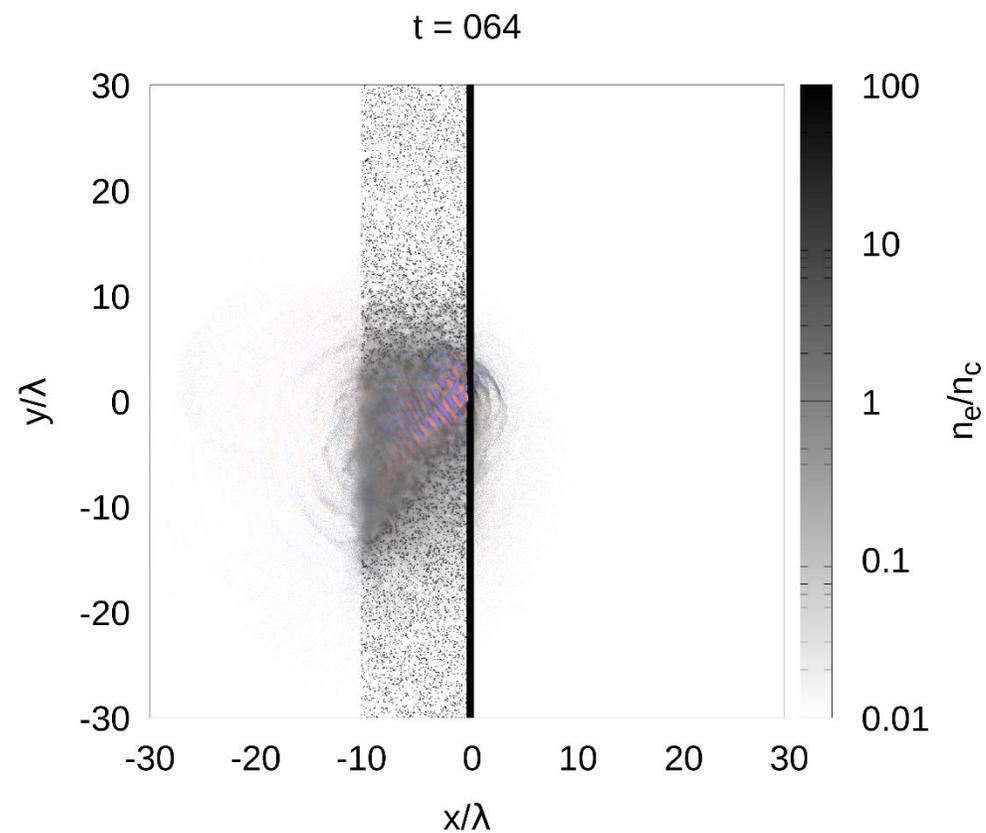
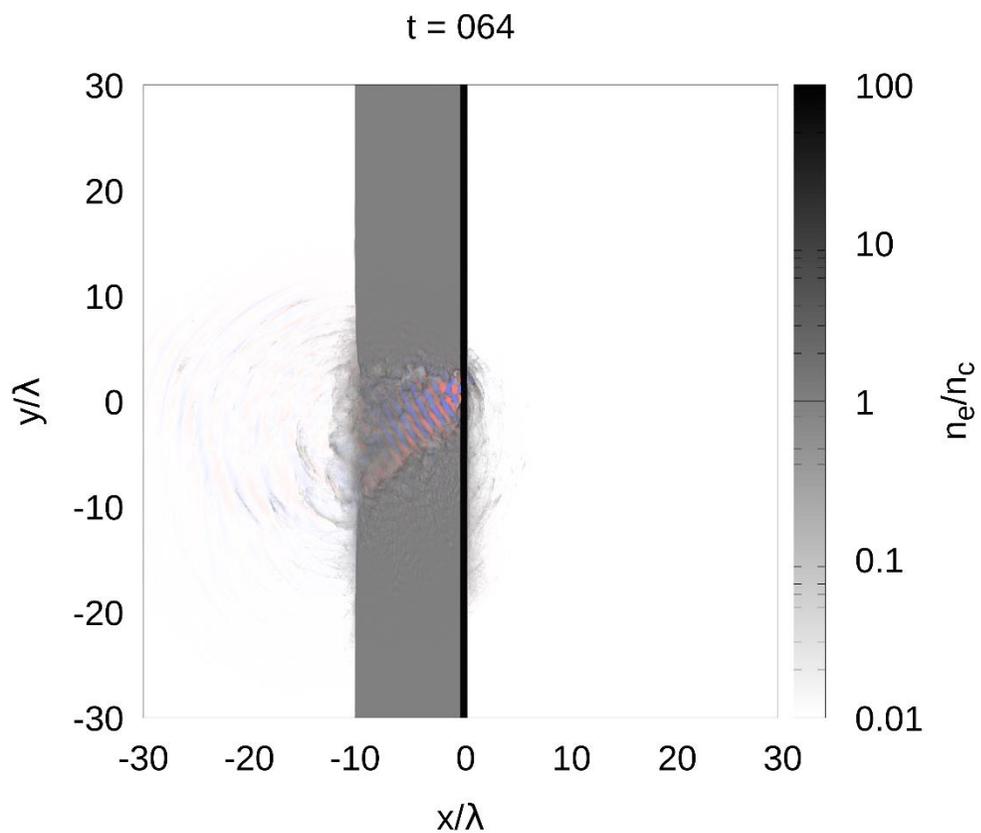


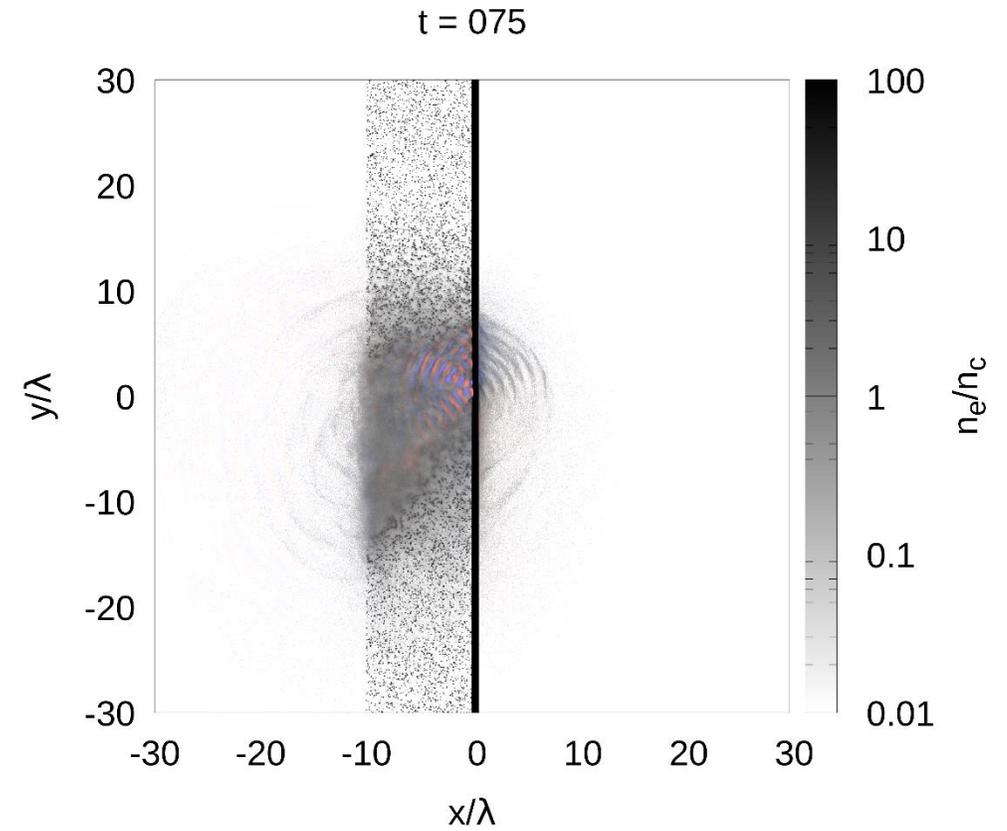
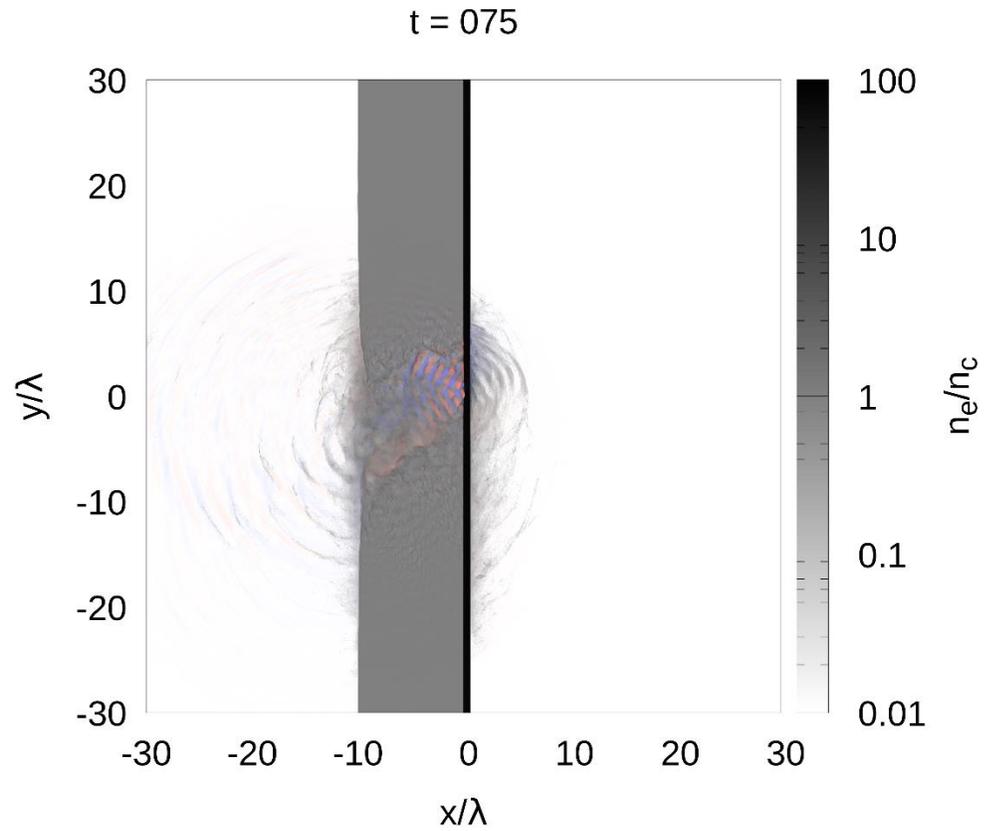


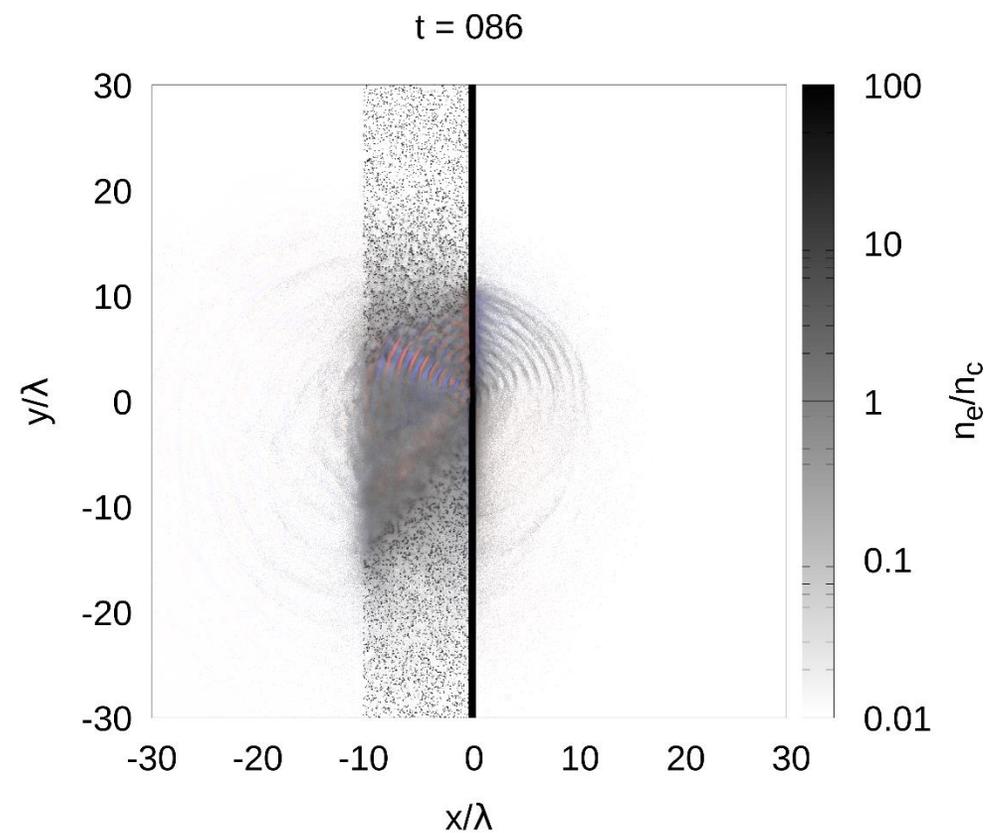
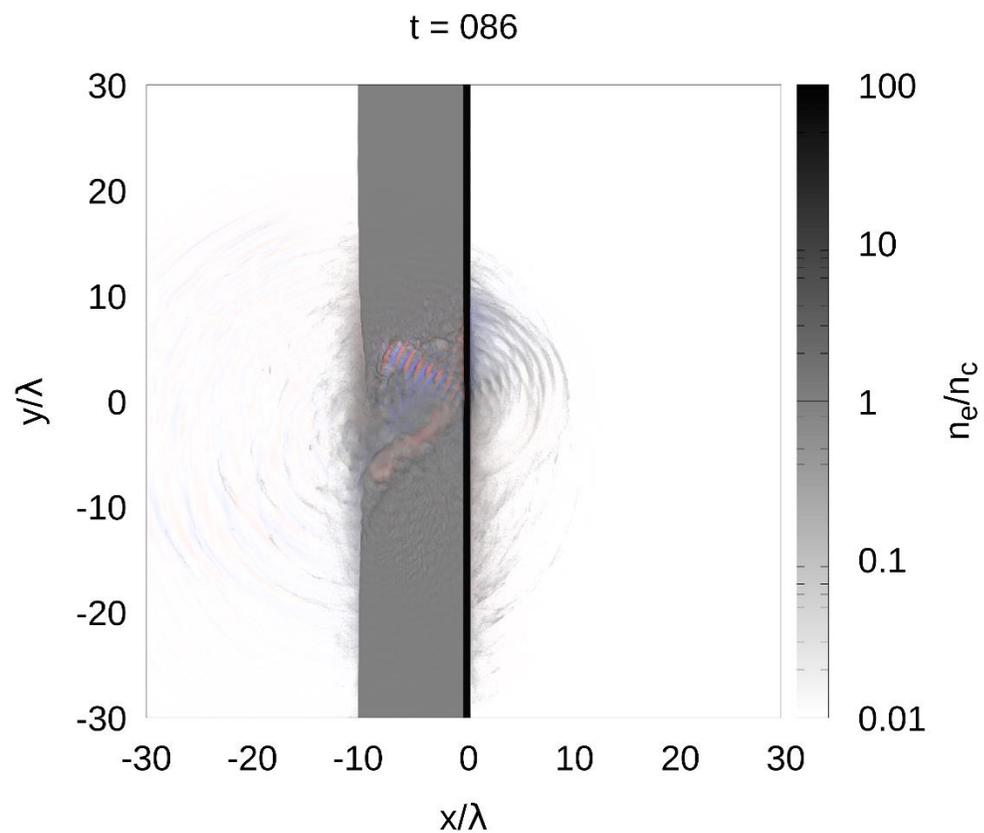


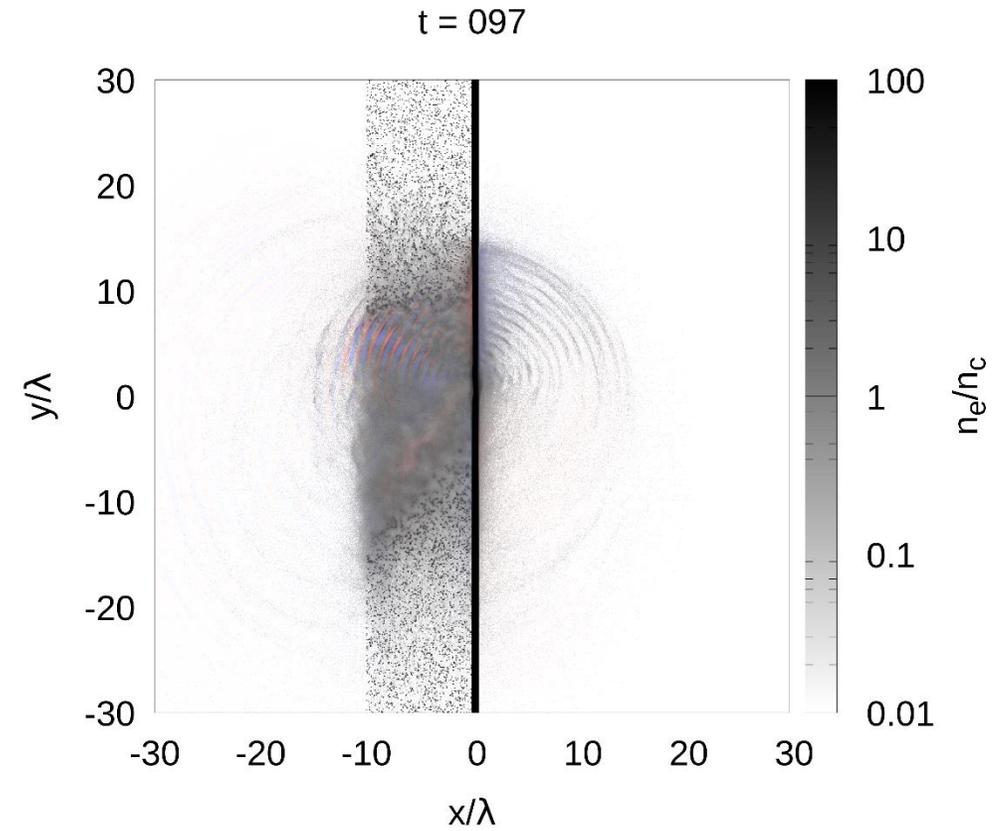
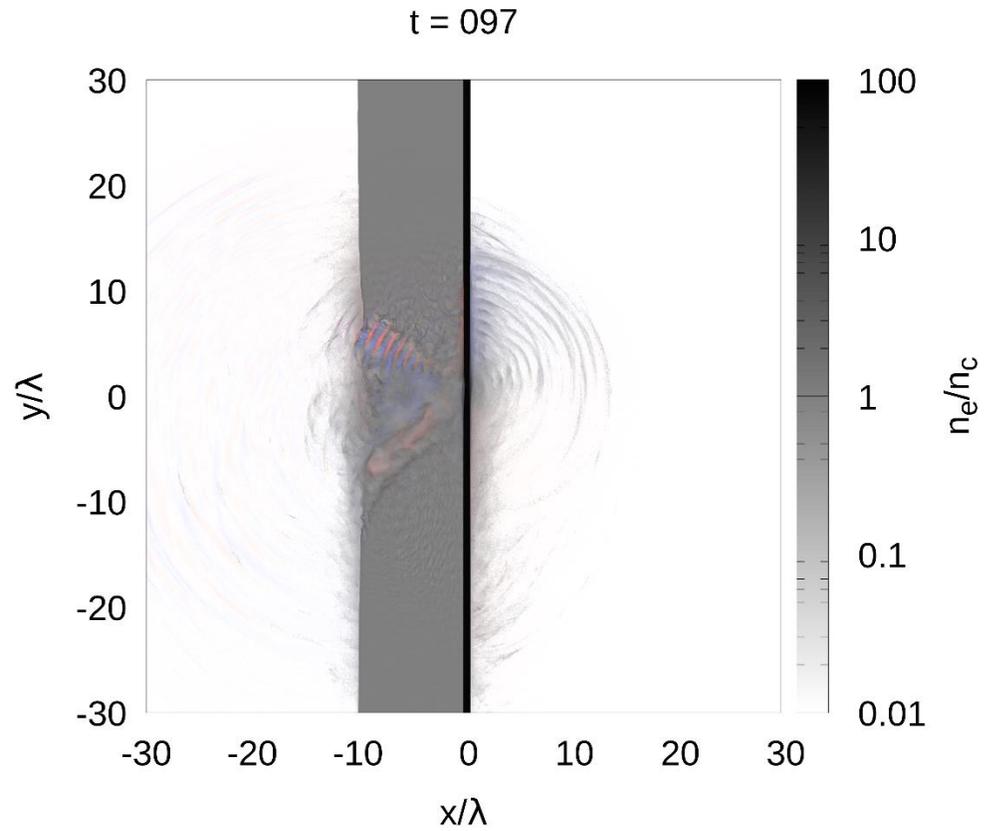


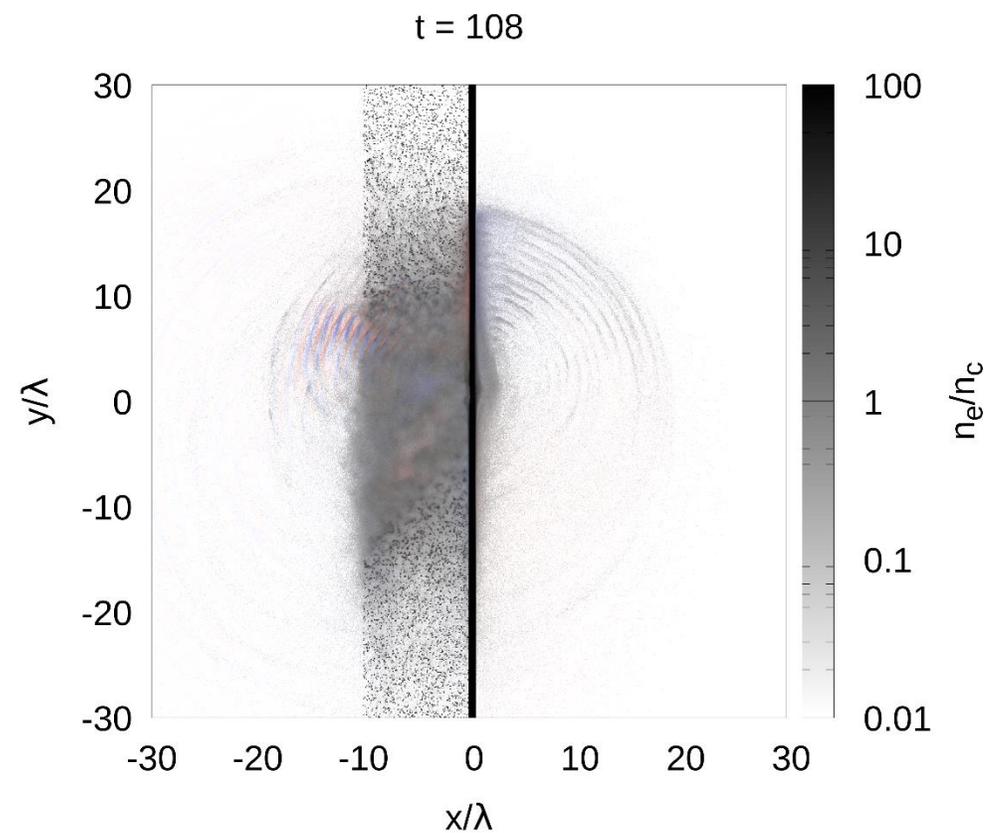
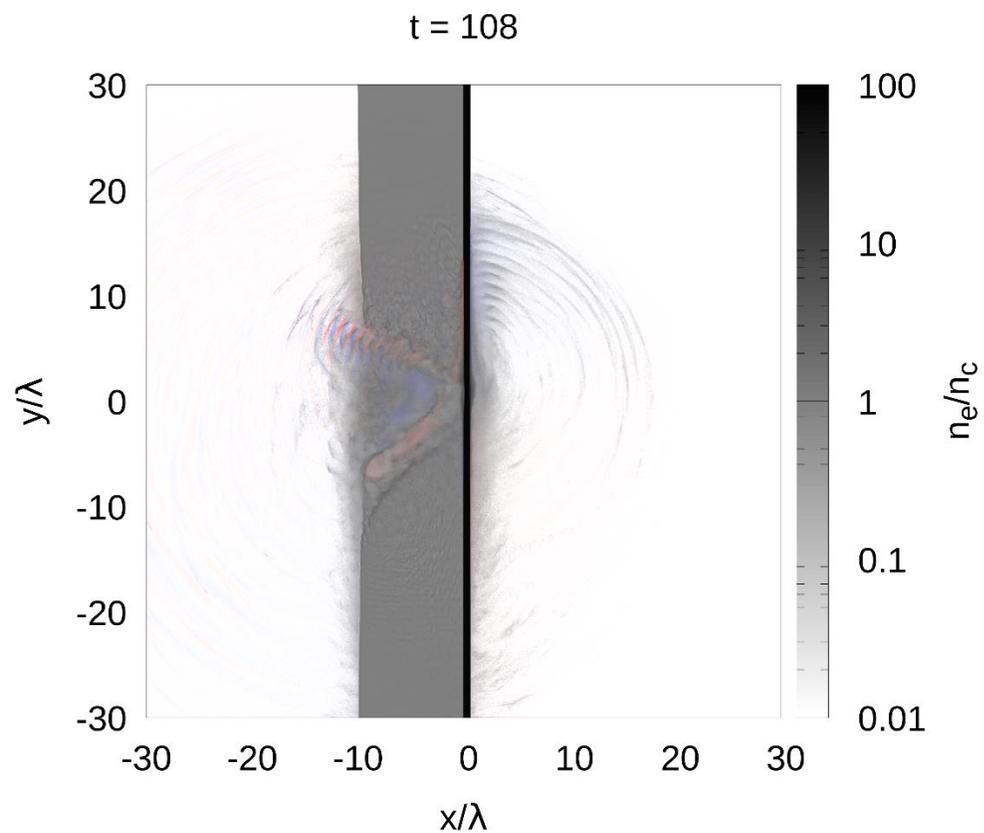








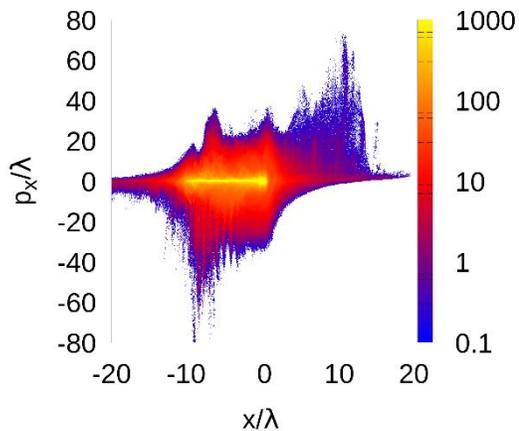
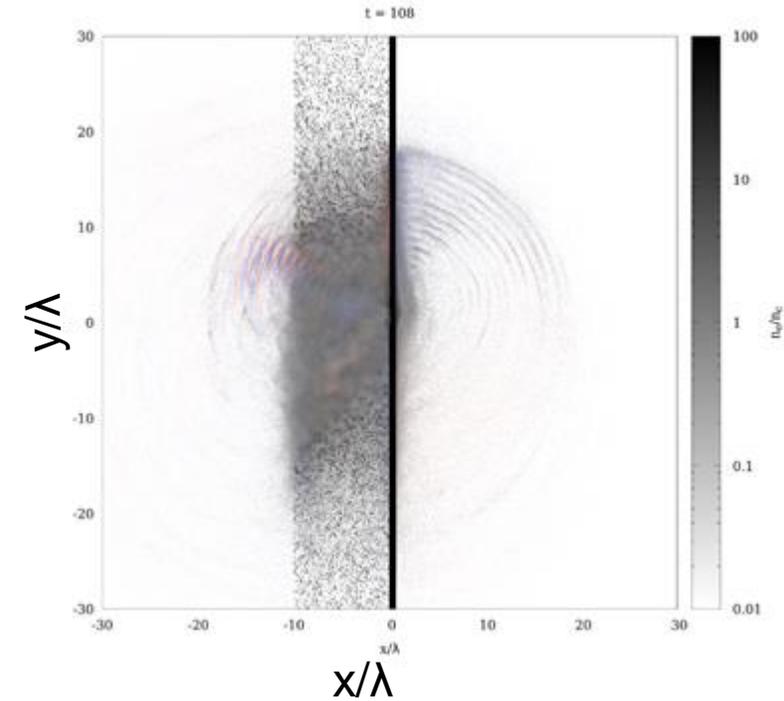


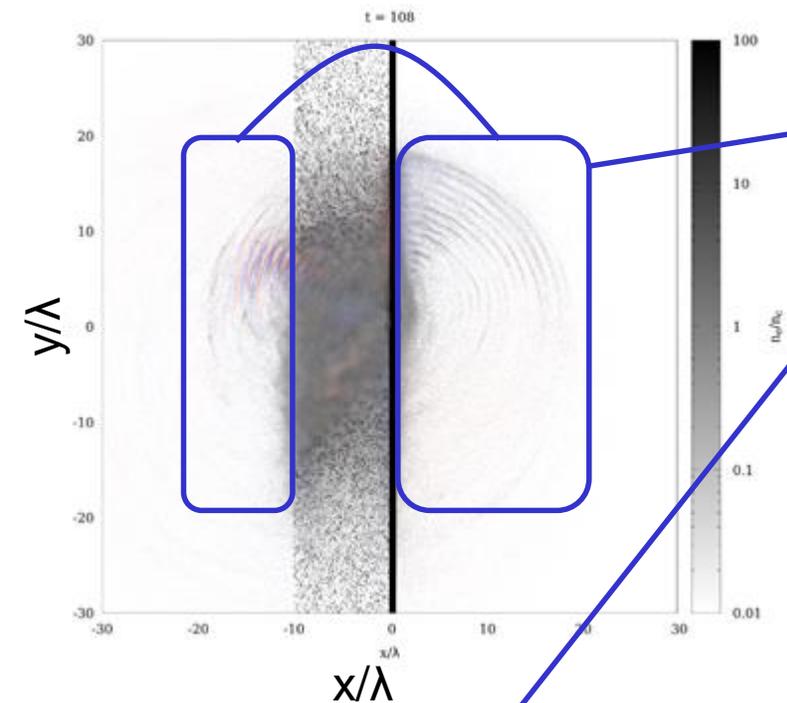




Two populations:

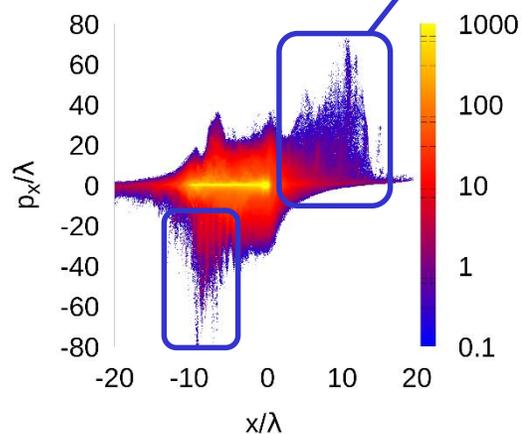
- Fast escaping electrons
- Confined electrons





Two populations:

- Fast escaping electrons
- Confined electrons



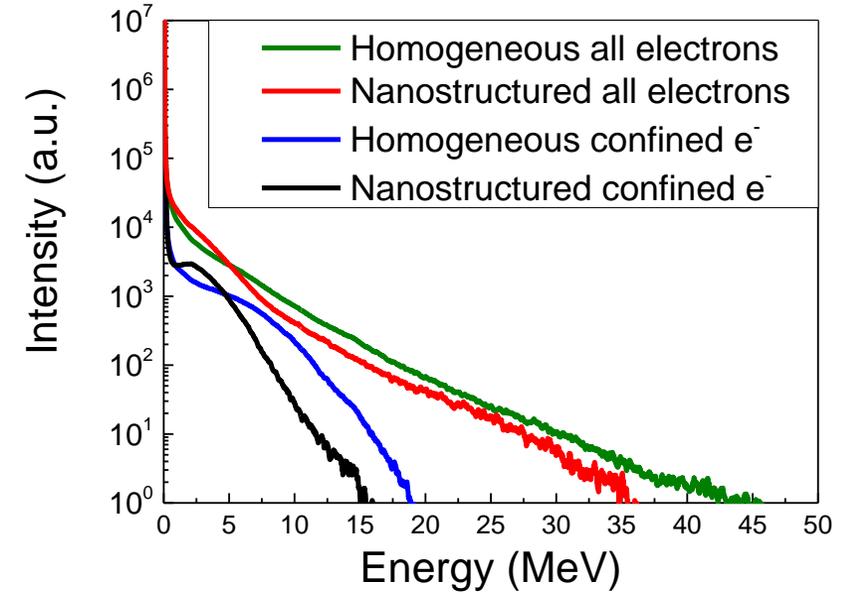
Fast electrons

- Prompt escape ($t < 100\text{fs}$)
- $p_{max} \propto a_0^2$



Two populations:

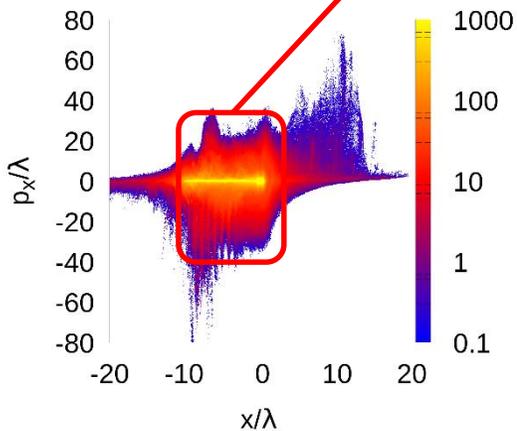
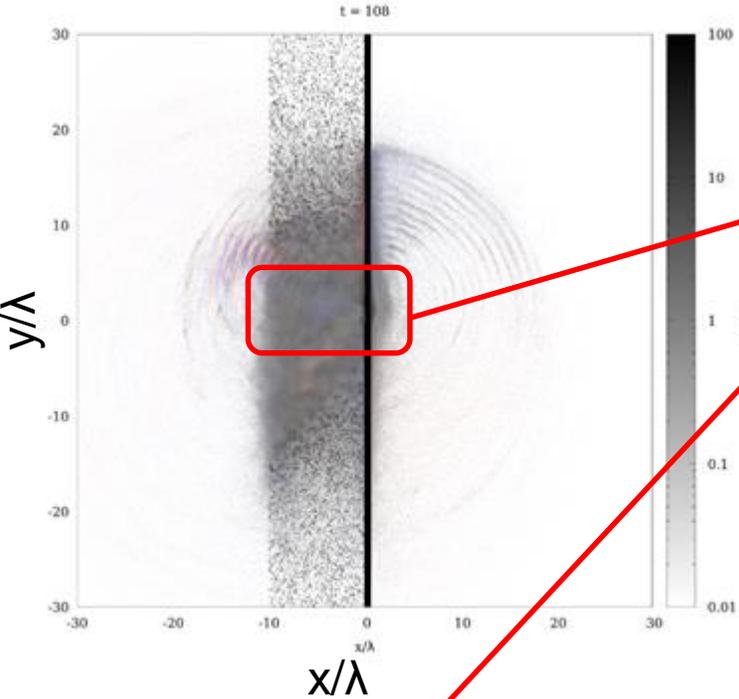
- Fast escaping electrons
- Confined electrons



Confined electrons:

- More energetic than solid foil e^-
- Spectrum dependant to the nanostructure
- Long confinement time (> 100 fs)

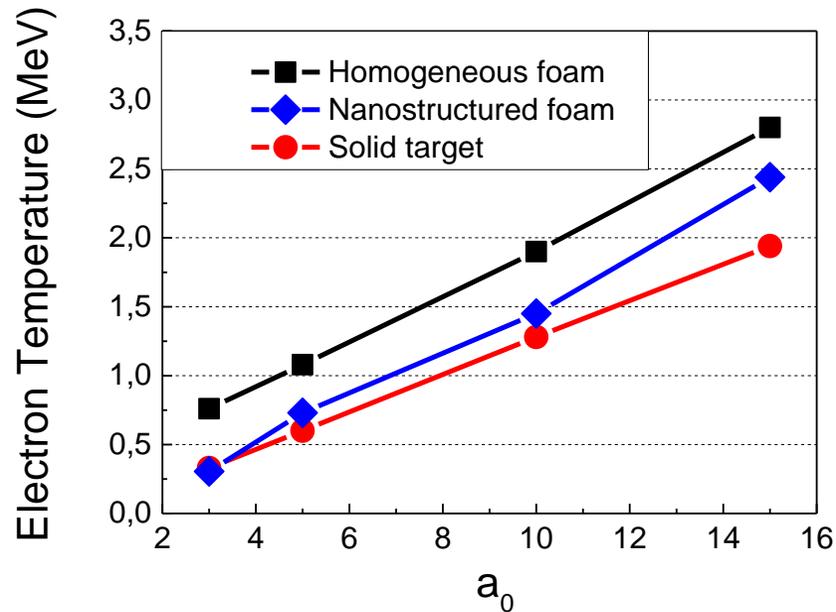
Hp: **confined** electrons \rightarrow enhanced TNSA





H_p: ponderomotive heated confined electrons

$$T_e = C_3 T_{pond} + C_4$$

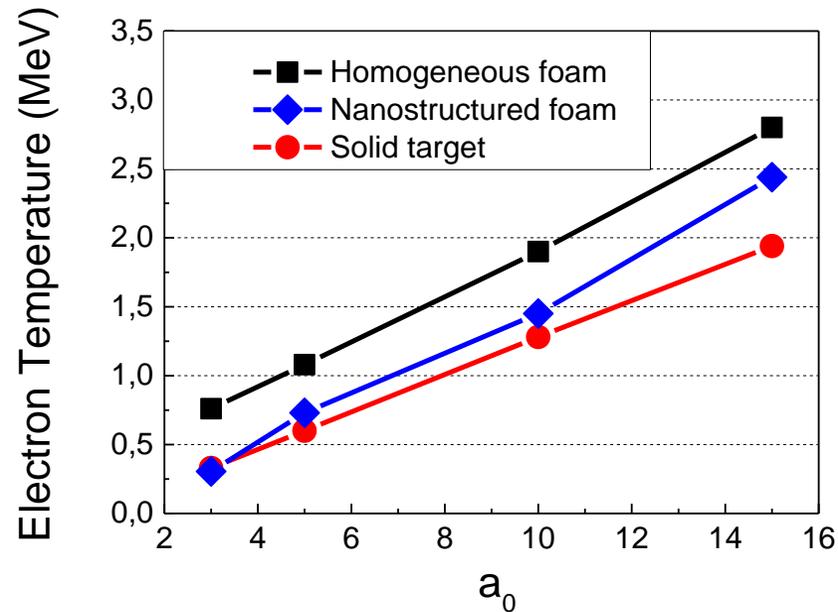


- Electron heating dependant to the target nanostructure
- Nanostructure → lower electron temperature

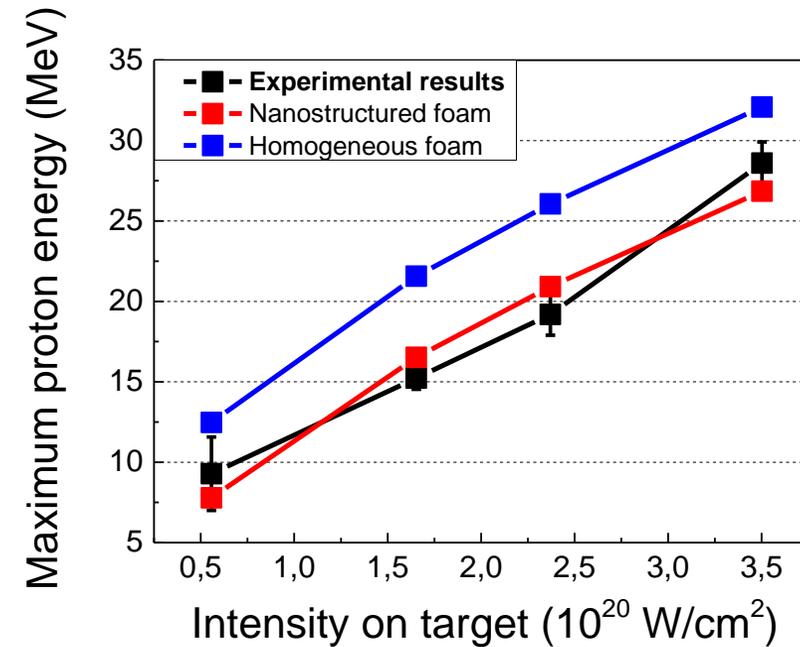


Hp: ponderomotive heated confined electrons

$$T_e = C_3 T_{pond} + C_4$$



Experimental results and benchmarks



- Electron heating dependant to the target nanostructure
- Nanostructure → lower electron temperature



Interaction with over-dense plasma:

- Brunel effect and $j \times B$ heating → combined heating
- Ponderomotive scaling over-estimates electron temperature in this regime
- Very good agreement with TNSA experiments

Interaction with near-critical plasma:

- Production of fast-escaping and confined electrons
- TNSA should be due to the confined electrons
- Nanostructure is a key parameter in laser-matter interaction

Future perspectives:

- I. Numerical 3D campaign with foam attached targets
- II. More realistic nanostructure design
- III. Theoretical model for ponderomotive heating in near critical targets



Recent works

- I. L Cialfi, L Fedeli and M Passoni, **Electron heating in sub-picosecond laser interaction with over-dense and near-critical plasmas**, submitted.
- II. M Passoni, A Sgattoni, I Prencipe, et al., **Toward high-energy laserdriven ion beams: Nanostructured double-layer targets**, Physical Review Accelerators and Beams 19, 061301 (2016).
- III. I Prencipe, A Sgattoni, M Passoni et al., **Development of foam-based layered targets for laser-driven ion beam production**, Plasma Physics and Controlled Fusion 58, 034019 (2016).



European Research Council

Thank you for your attention



Laser parameters considered:

$$I > 10^{19} \text{ W/cm}^2$$

Pulse duration (FWHM) < 100 fs

Focal spot ~ μm

P > 100 TW

Pulse energy > J

Example: CoReLS, IBS (Gwangju, S. Korea)

Laser wavelength: 800 nm (Ti:Sapphire)

$$0.5 \cdot 10^{20} \text{ W/cm}^2 < I < 4.2 \cdot 10^{20} \text{ W/cm}^2$$

Pulse duration (FWHM) < 30 fs

Focal spot = 5 μm

1 < Energy on target > 7.5 J

I. Matter ionization → Laser-plasma interaction

II. Critical density

$$n_c = \sqrt{\frac{m_e \omega^2}{4\pi e^2}} \quad \text{for Ti:Sapphire} \quad n_c \sim \text{mg/cm}^2$$

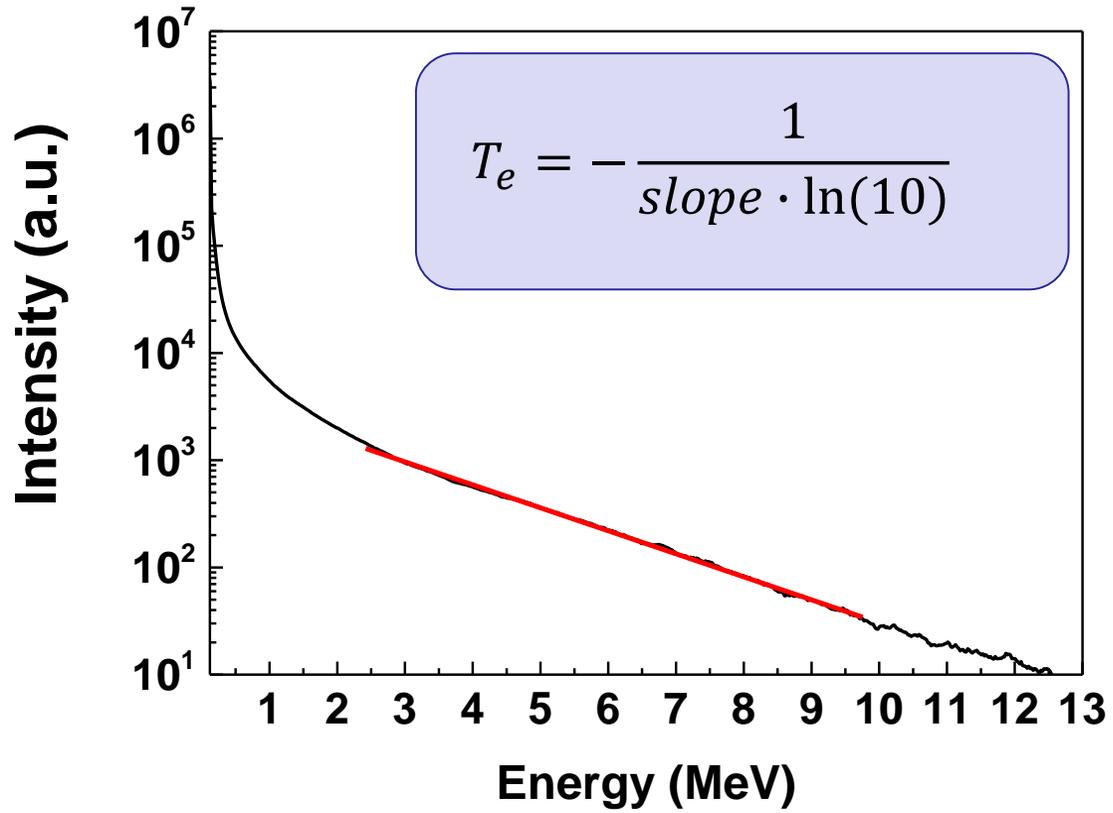
→ $n > n_c$: Over dense plasma

→ $n < n_c$: Under dense plasma

Relativistic transparency $I \uparrow \rightarrow n_c \downarrow$

III. Skin depth

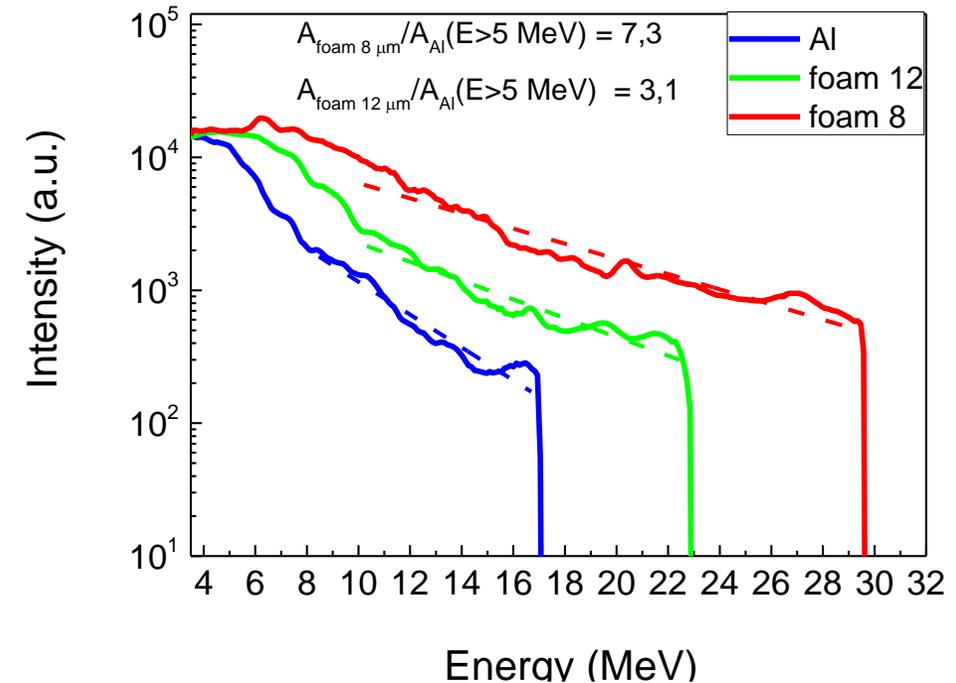
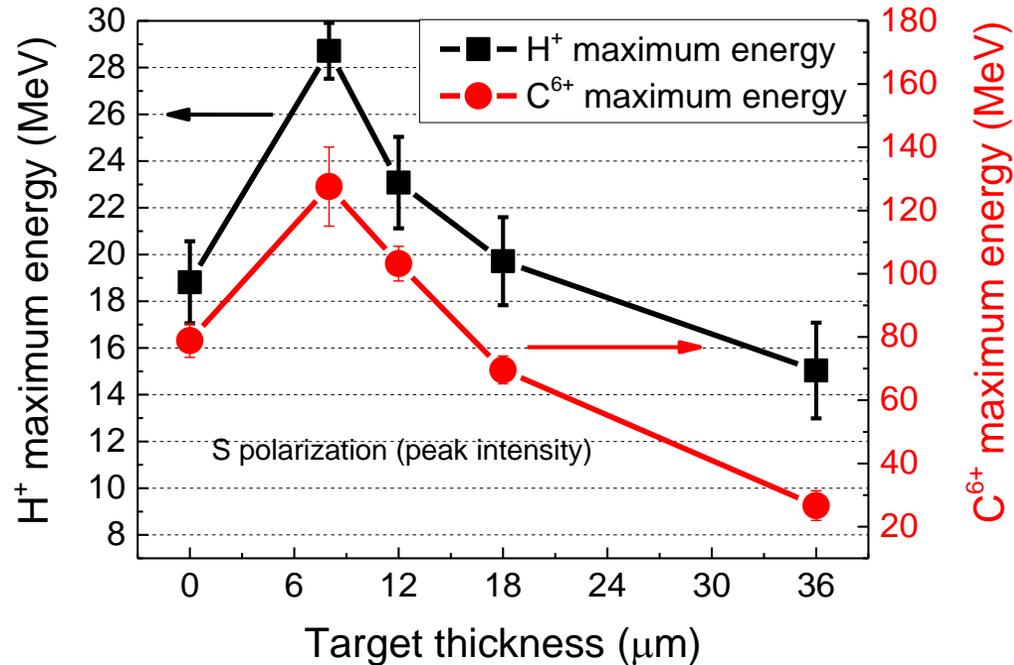
$$\lambda_{sd} = cV/\omega_{pe} \quad (\sim 10 - 50 \text{ nm})$$





Role of target properties (s-polarization, full power)

nearcritical foam thickness: Al (0.75 μm) + foam (6.8 mg/cm^3 , 0-36 μm)



↑ E_{max} protons: 30 MeV
 [vs 18 MeV (s), 22 MeV (p)]

↑ E_{max} C⁶⁺: 130-140 MeV
 [vs 80 MeV (s), --- MeV (p)]

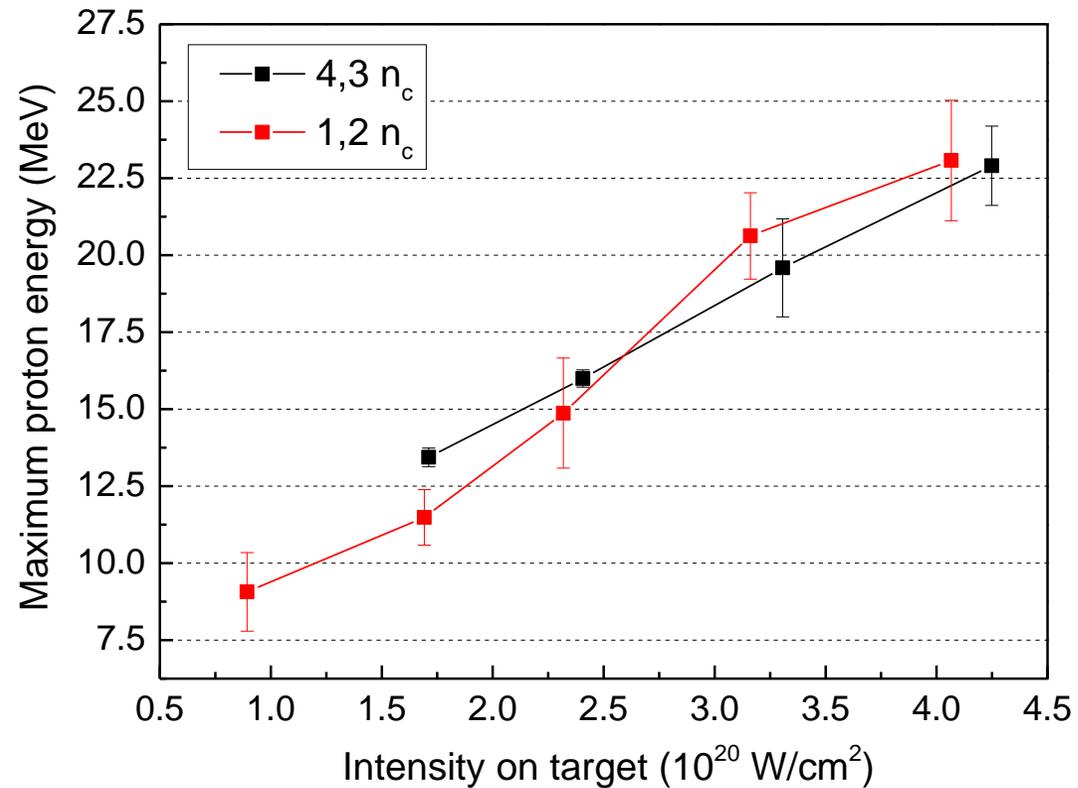
↑ proton temperature 7.3 MeV
 (vs 3.5 MeV for Al)

↑ number of protons
 (gain factor 7.3 above 5 MeV (vs s))



Role of target properties (s-polarization, full power)

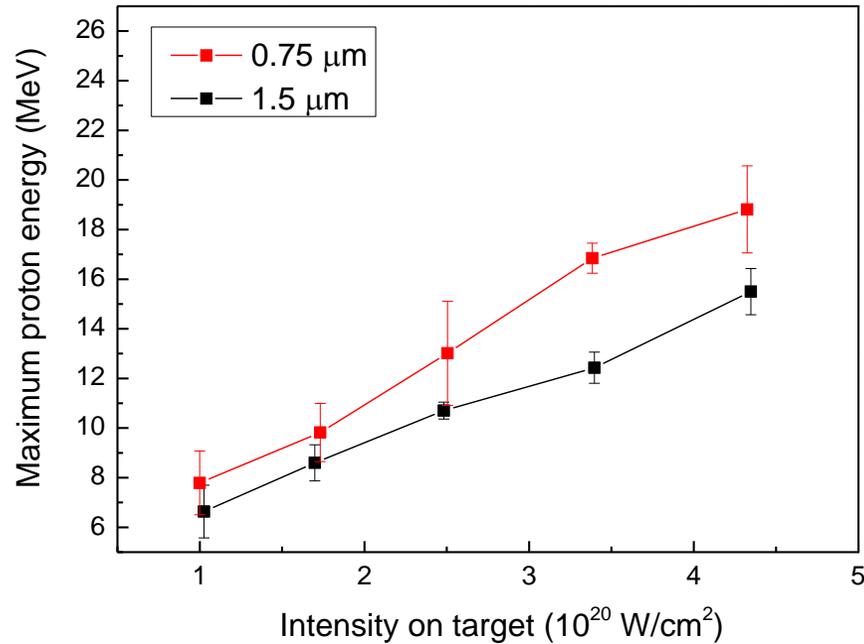
➤ foam density: Al (0.75 μm) + foam (6.8 – 25 mg/cm^3 , 12 μm)



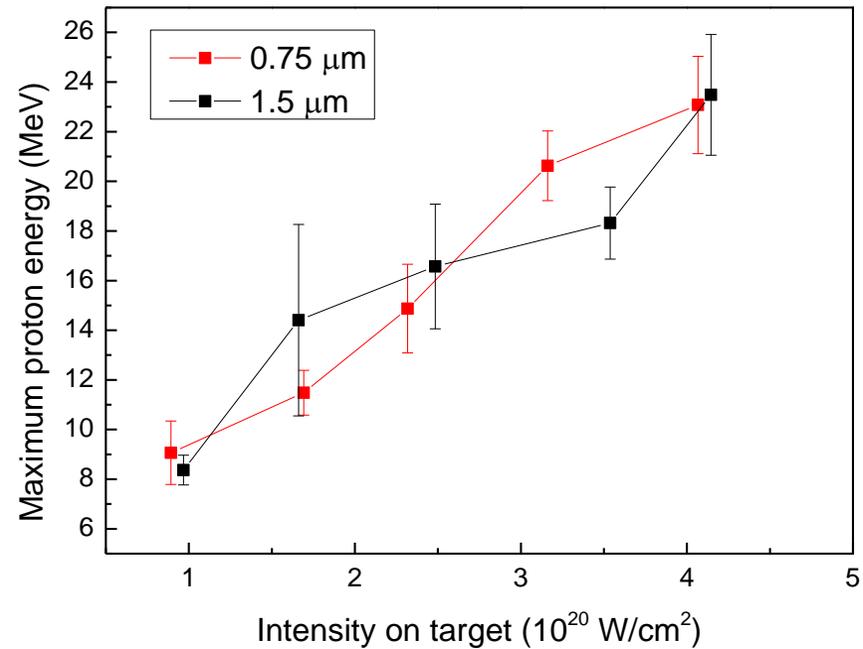


Role of target properties (s-polarization, full power)

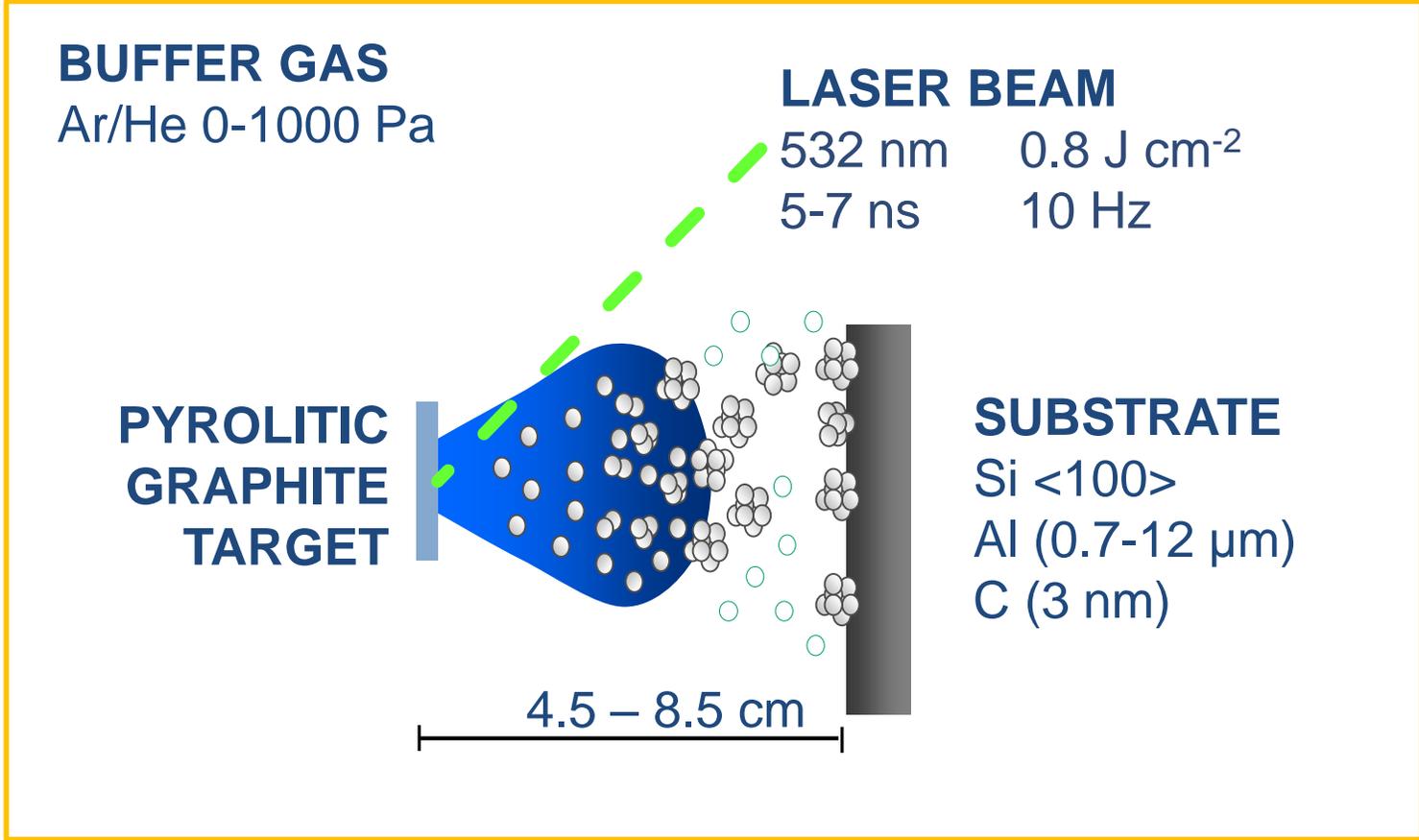
▾ substrate thickness: Al (0.75 and 1.5 μm) + foam (6.8 mg/cm^3 , 12 μm)



Bare Al targets



Foam-attached targets



A. Zani *et al.*, Carbon, **56** 358 (2013); I. Prencipe *et al.*, J. Phys. Conf. Ser., (2015)



More realistic: nanostructured-foam layer

- Limited Diffusion Aggregation (LDA) model
- same mean thickness & density
- nanoparticles: $50 n_c$ (2% filling factor)

